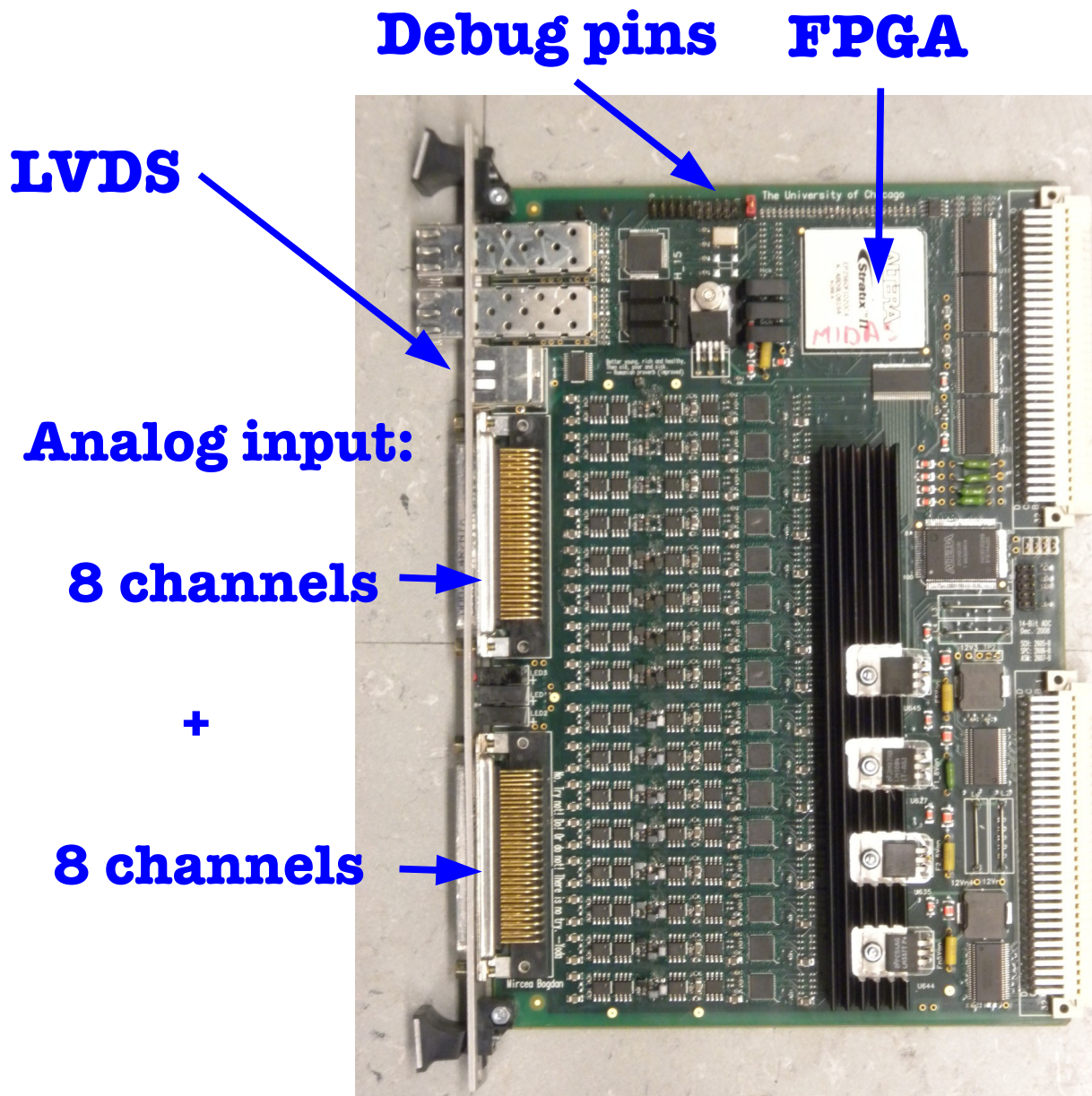


# **MIDAS: Trigger system**

**Microwave Workshop  
Chicago, October 6<sup>th</sup> 2010**

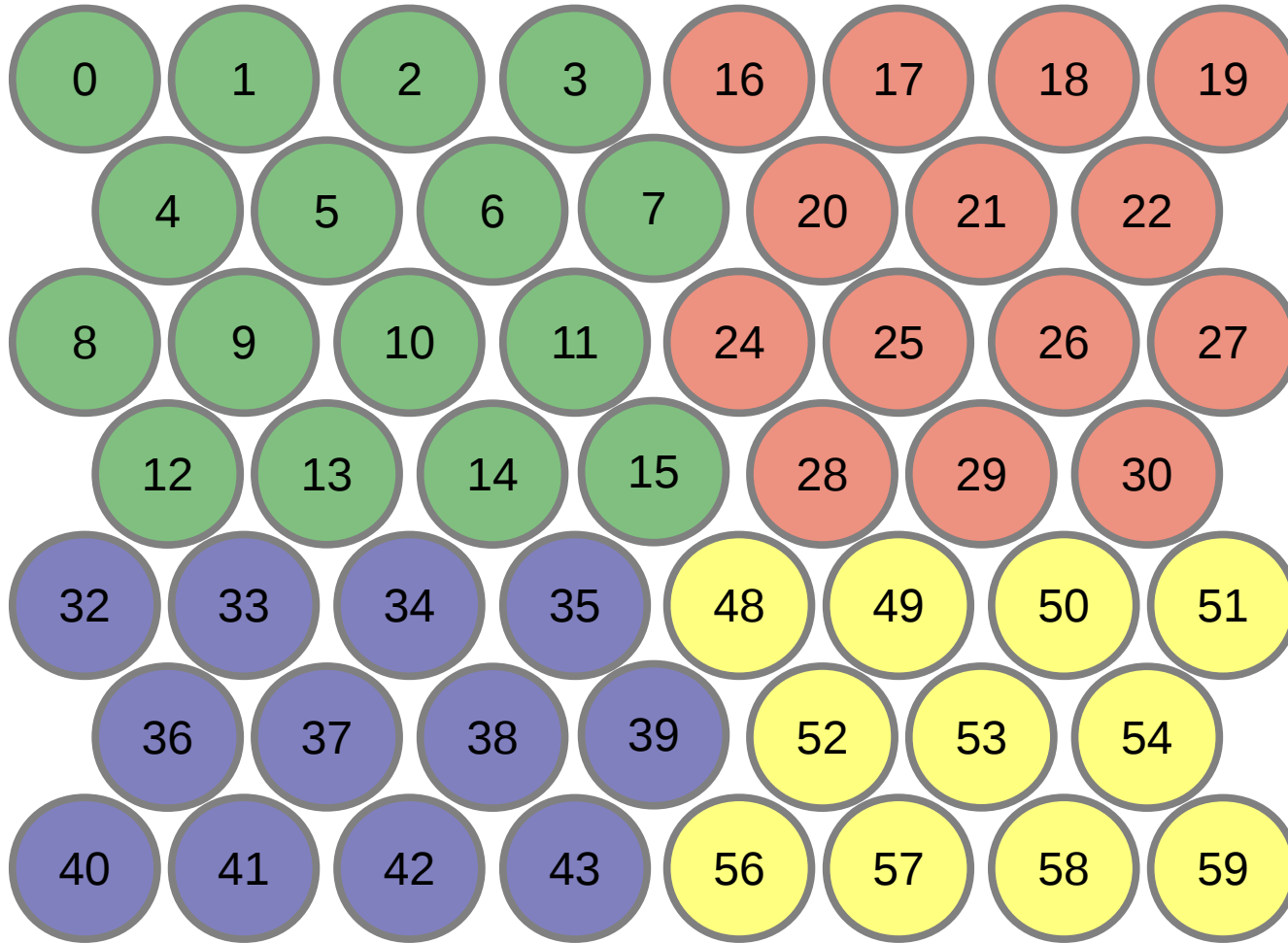
# FADC boards



- FADC boards designed at UofC.
- 16 14-bit FADCs per board.
- Sampling frequency of 20 MHz  
=> 50 ns.
- 4 independent boards to control the whole camera and 1 master board to coordinate the triggers from the 4 slave boards.

**Board 0**

**Board 1**



**Board 2**

**Board 3**

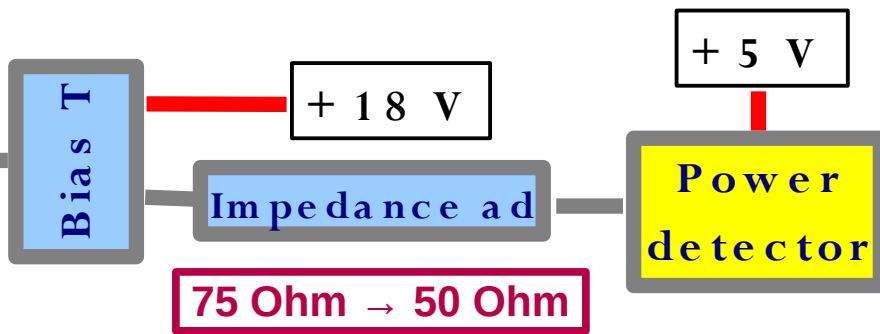
# Analog Electronics

RF signal  
3.4-4.2 GHz

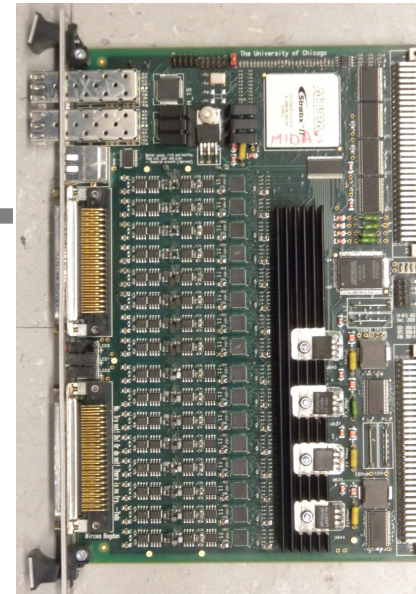
RF signal  
~ 1GHz



Feed & down-converter



DC signal to  
the ADC board



ADC boards

Master board

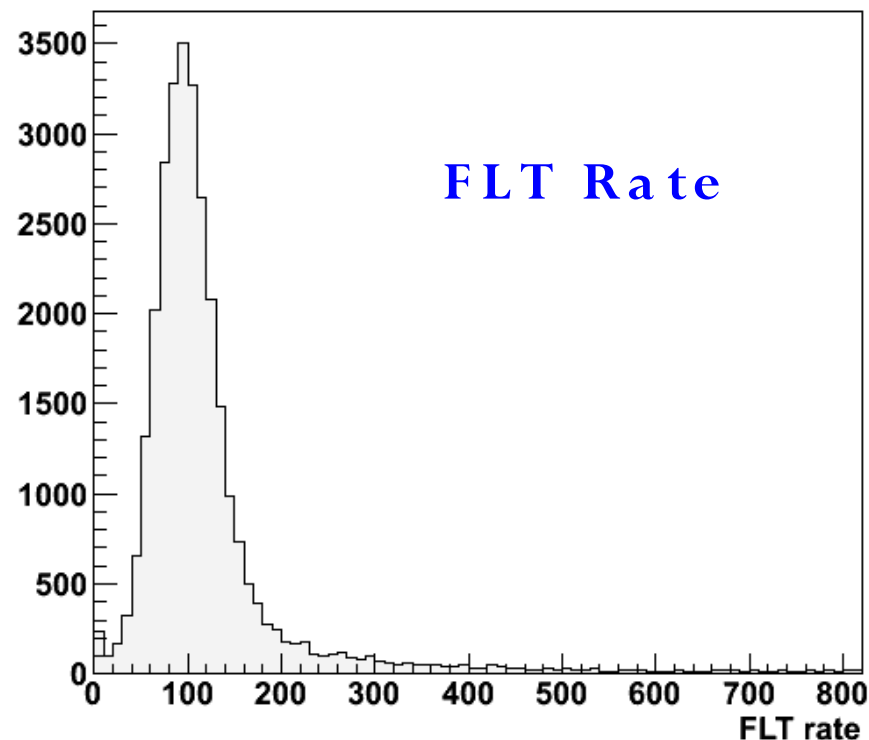
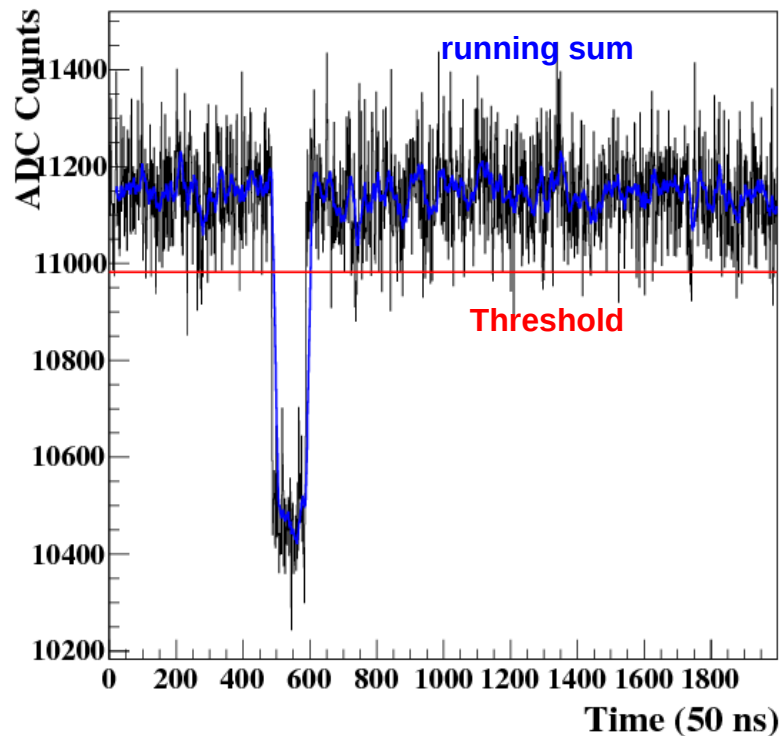




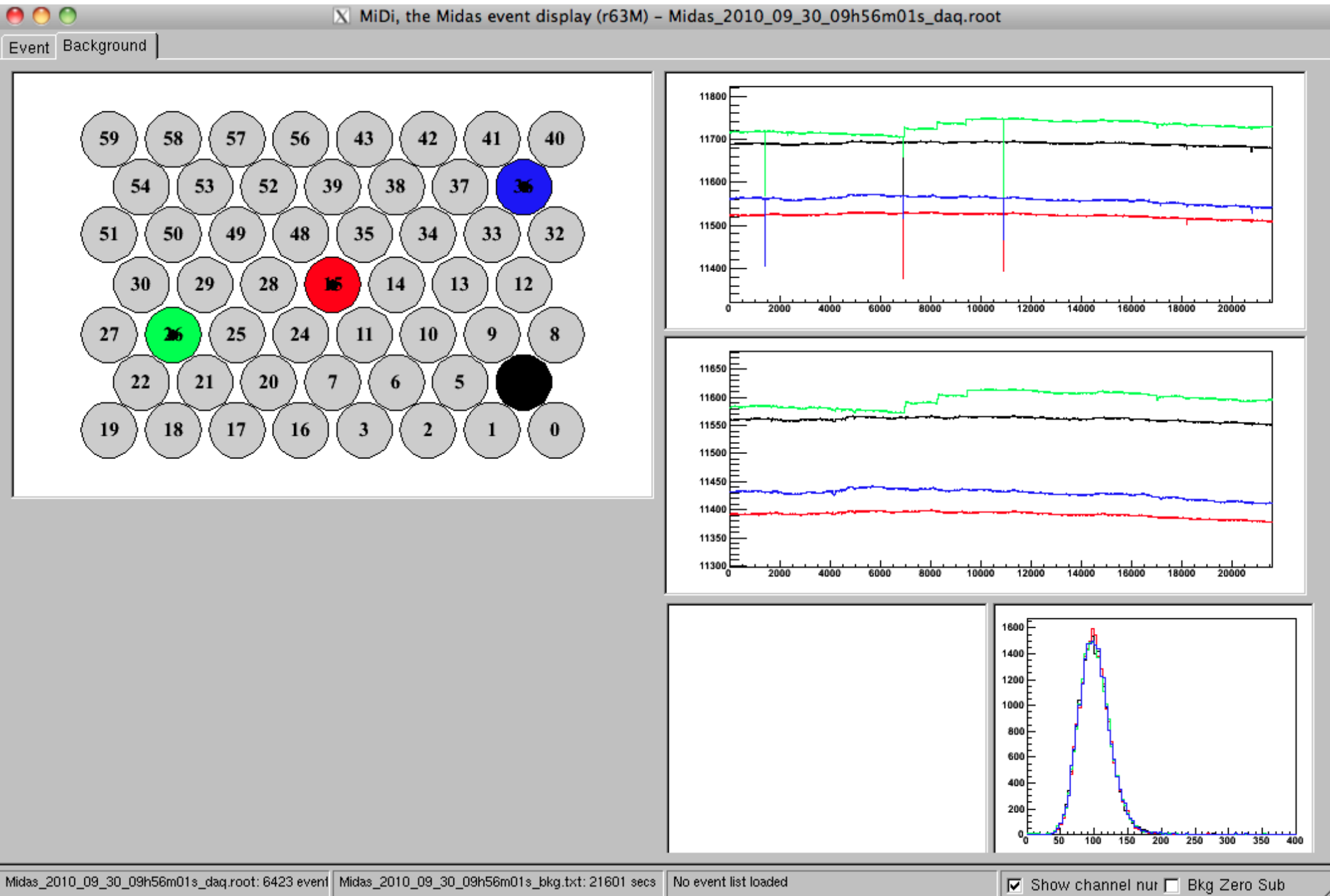
# First Level Trigger (FLT)

- Trigger at pixel level.
- The running sum of 20 bins (10 ns) exceeding a certain threshold.
- This threshold is regulated to ensure a FLT rate per channel of 100 Hz.
- The FLT status is extended for 20 ns (cross-checked with simulations) to allow for coincidences.

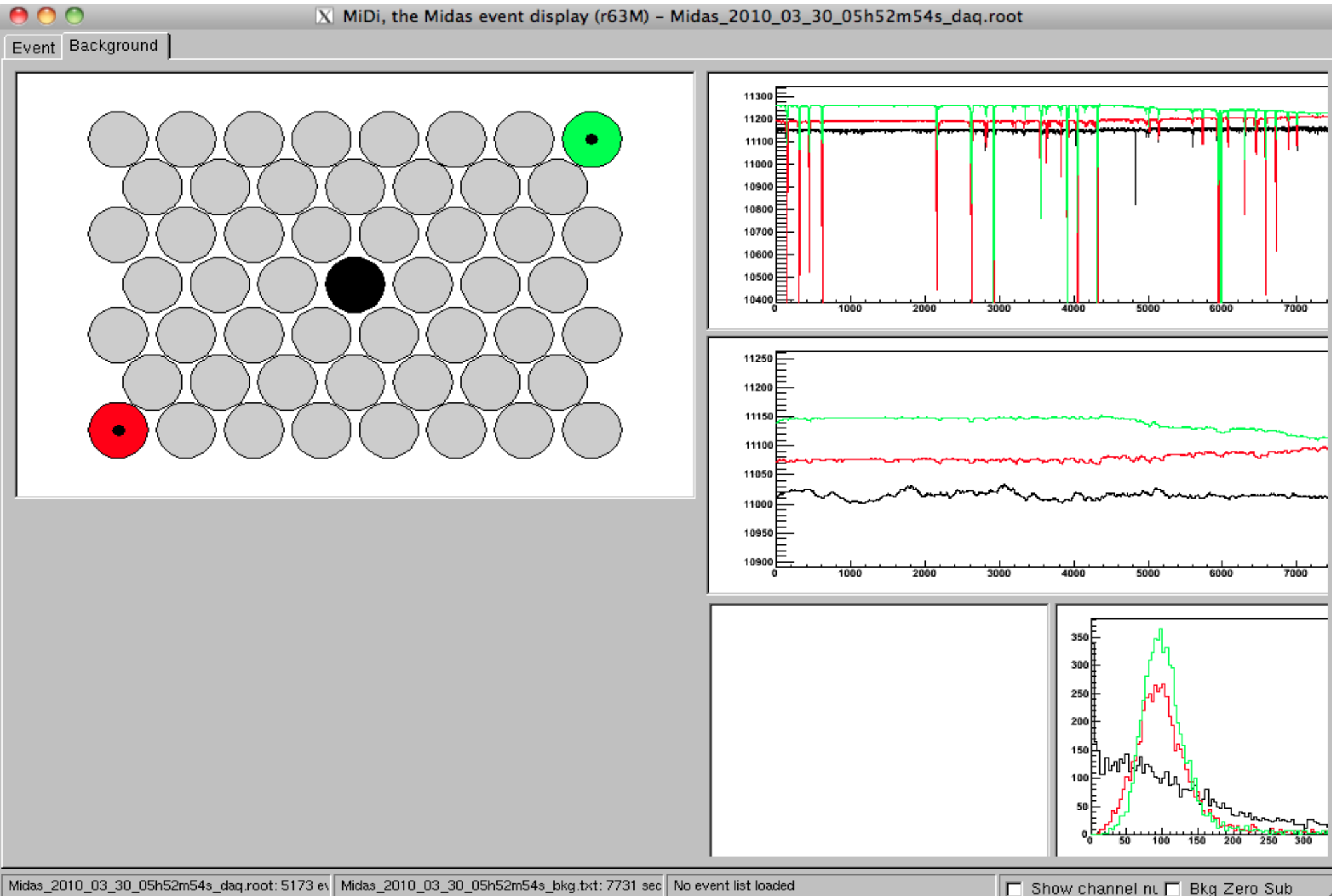
**10 ns (cross-checked with simulations)**



# MiDi (6 h run) with filters



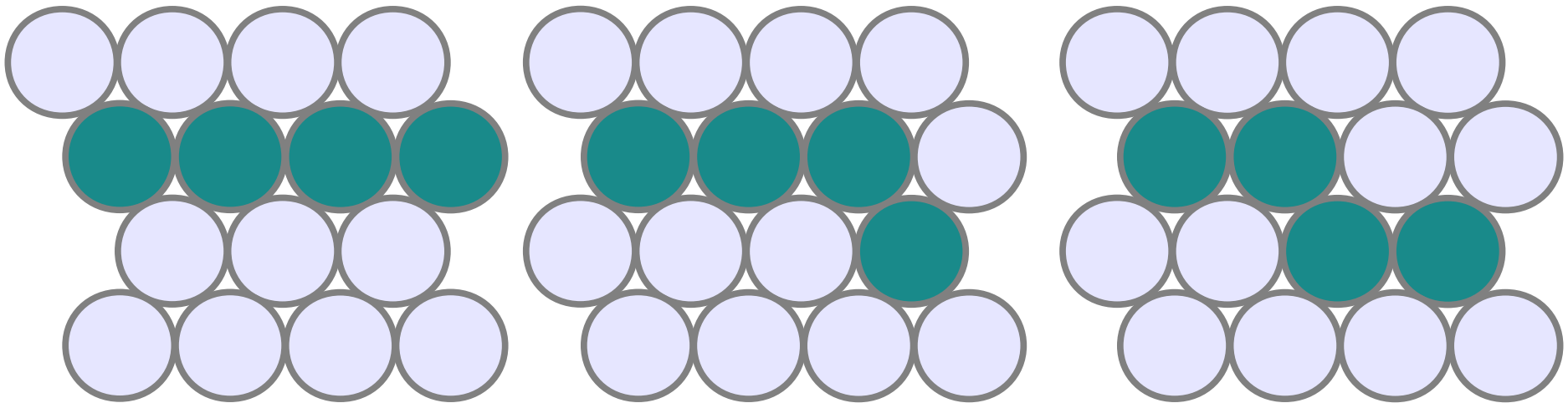
# MiDi (6 h run) no filters



# Second Level Trigger (SLT)

- Channels with a FLT status are used to search for patterns compatible with a shower track.
- The threshold regulation ensures a SLT rate due to accidentals of  $< 1$  Hz.

## Basic Patterns

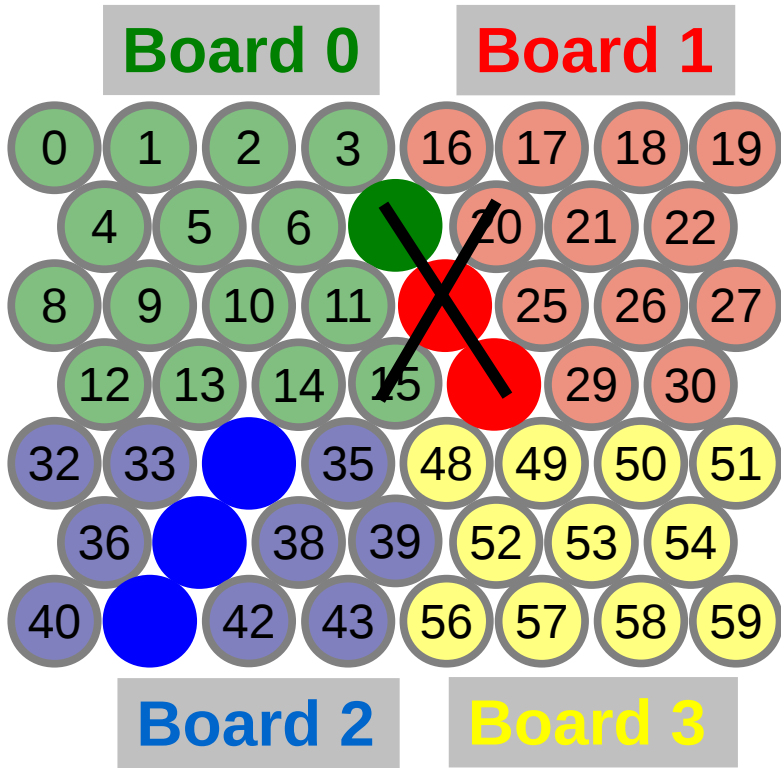


In the old configuration we required 3-fold patterns basic in these basic ones.



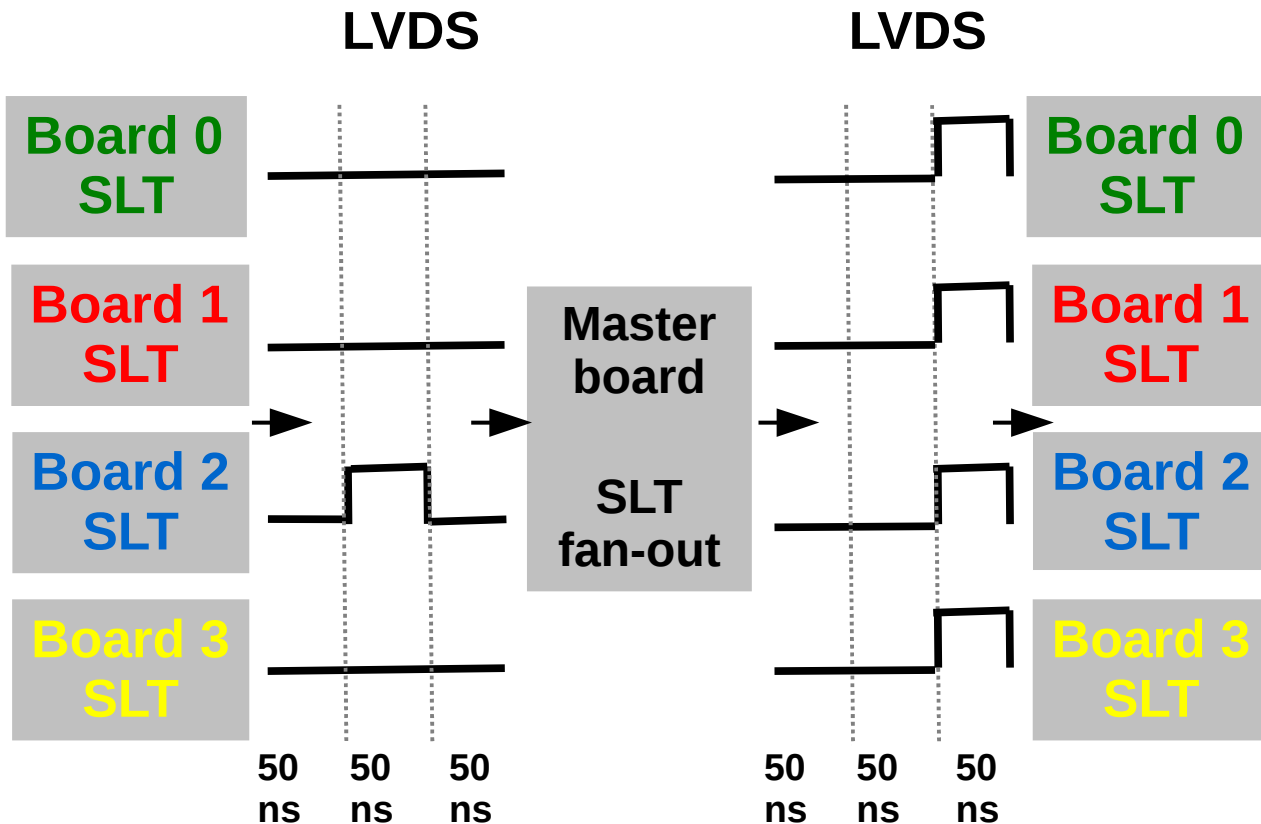
# Second Level Trigger (SLT)

## Old configuration



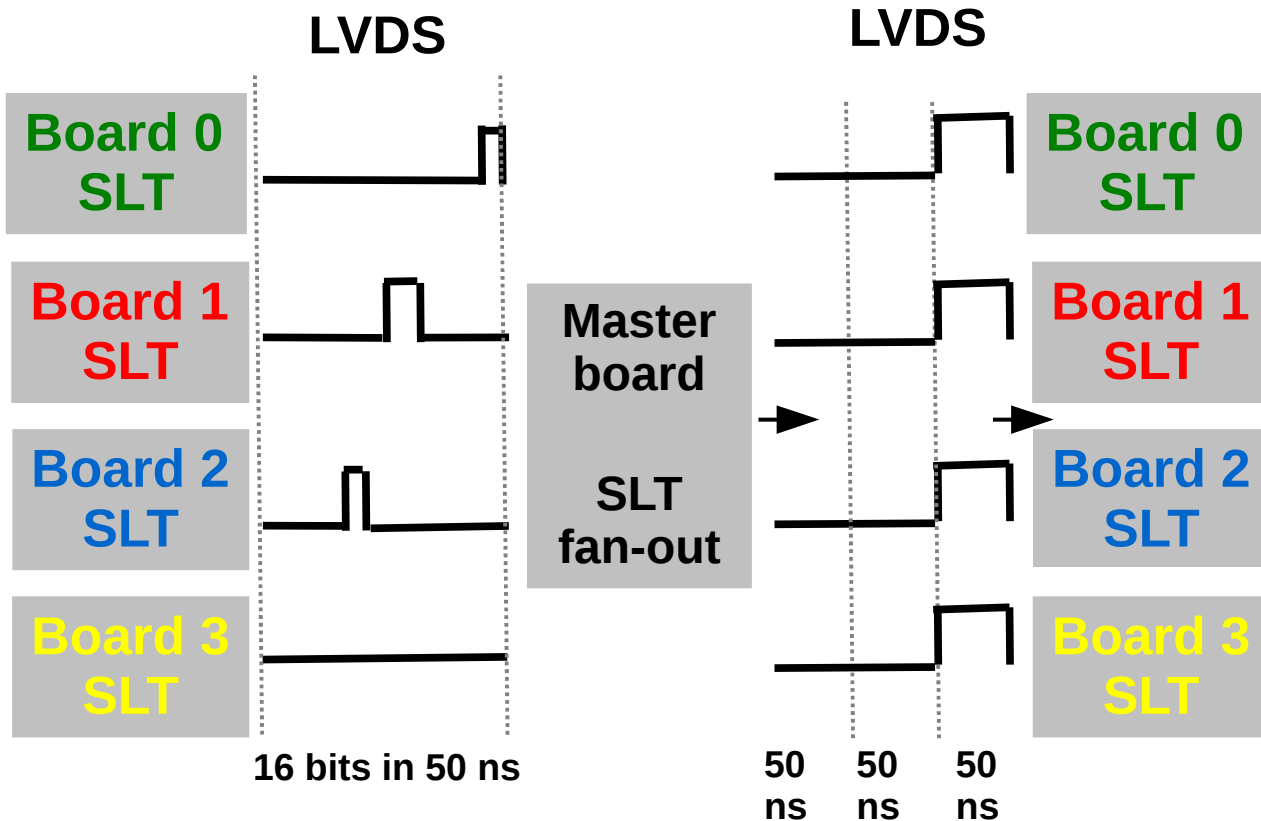
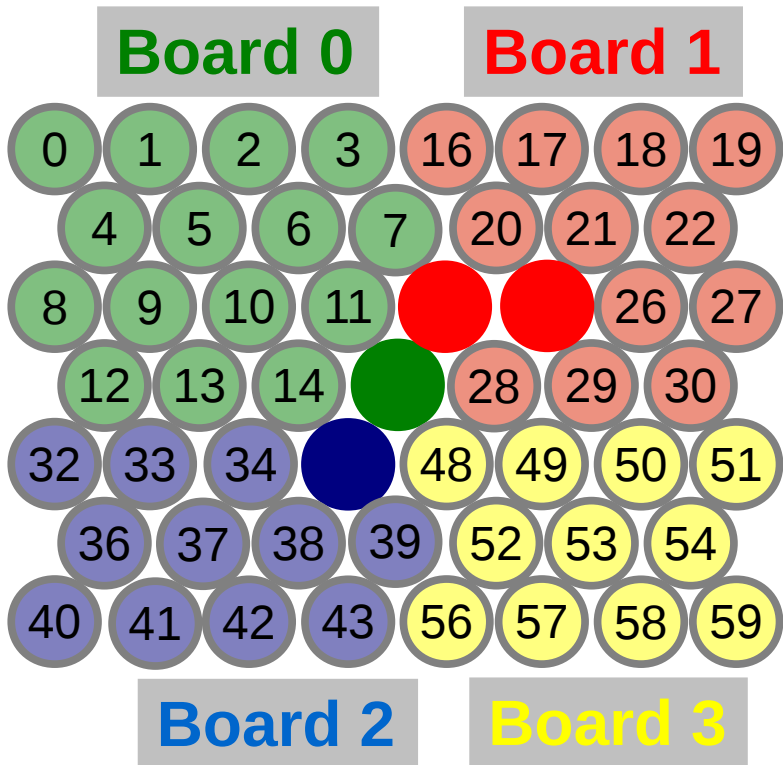
3-fold patterns

Independent SLT per board



# Second Level Trigger (SLT)

## New configuration




4-fold patterns

Global SLT trigger

Synchronization and alignment is crucial

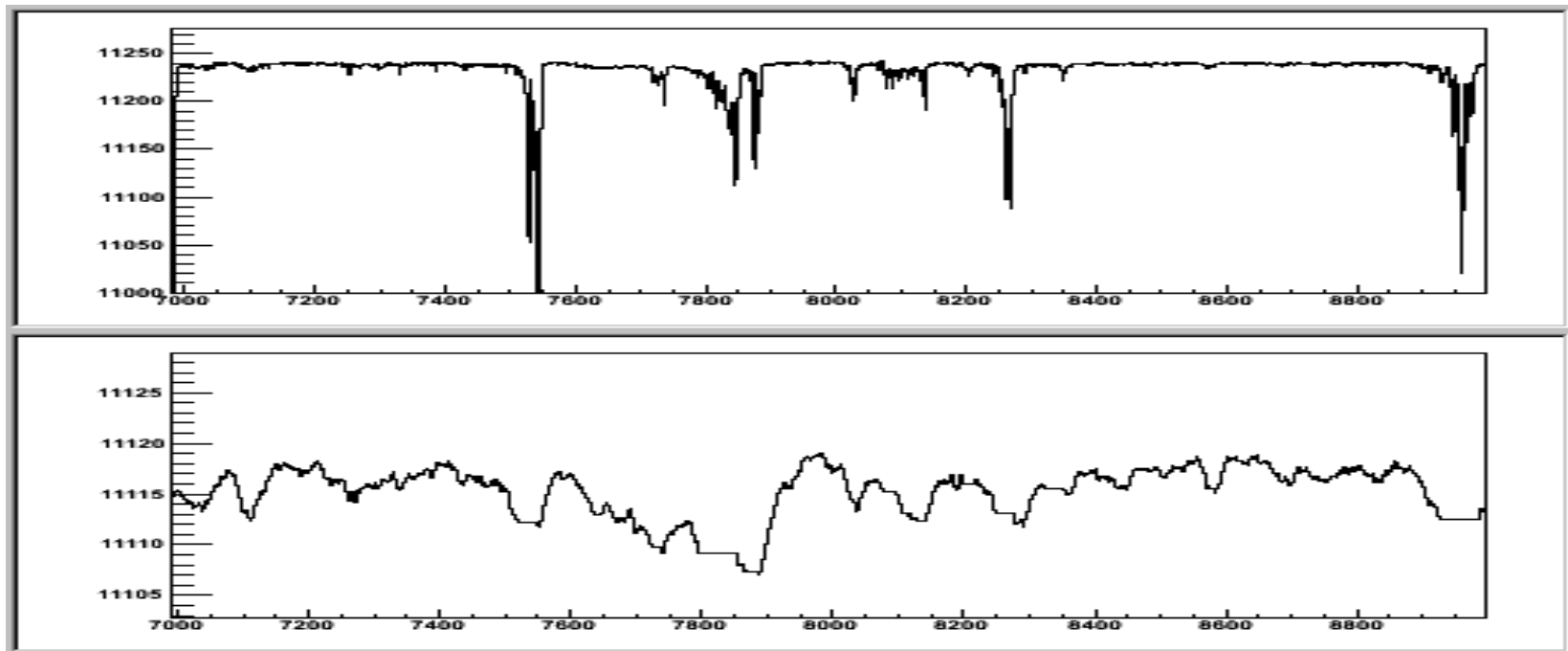
# SLT rate

- The 4-fold trigger reduce the rate of random coincidences:
  - 3-fold patterns and 20 ns: 0.4 Hz
  - 4-fold patterns and 20 ns: 1.e-3 Hz
  - 4-fold patterns and 10 ns: 3.e-4 Hz
- With the new global implementation we increase the efficiency of the camera. On the other side, the 4-fold requirement we loss some sensitivity. Assuming a quadratic scaling:
  - 3 pixels: 1.1 events/day
  - 4 pixels: 0.8 events/day

28% loss assuming the 3-pixel events are distinguishable.

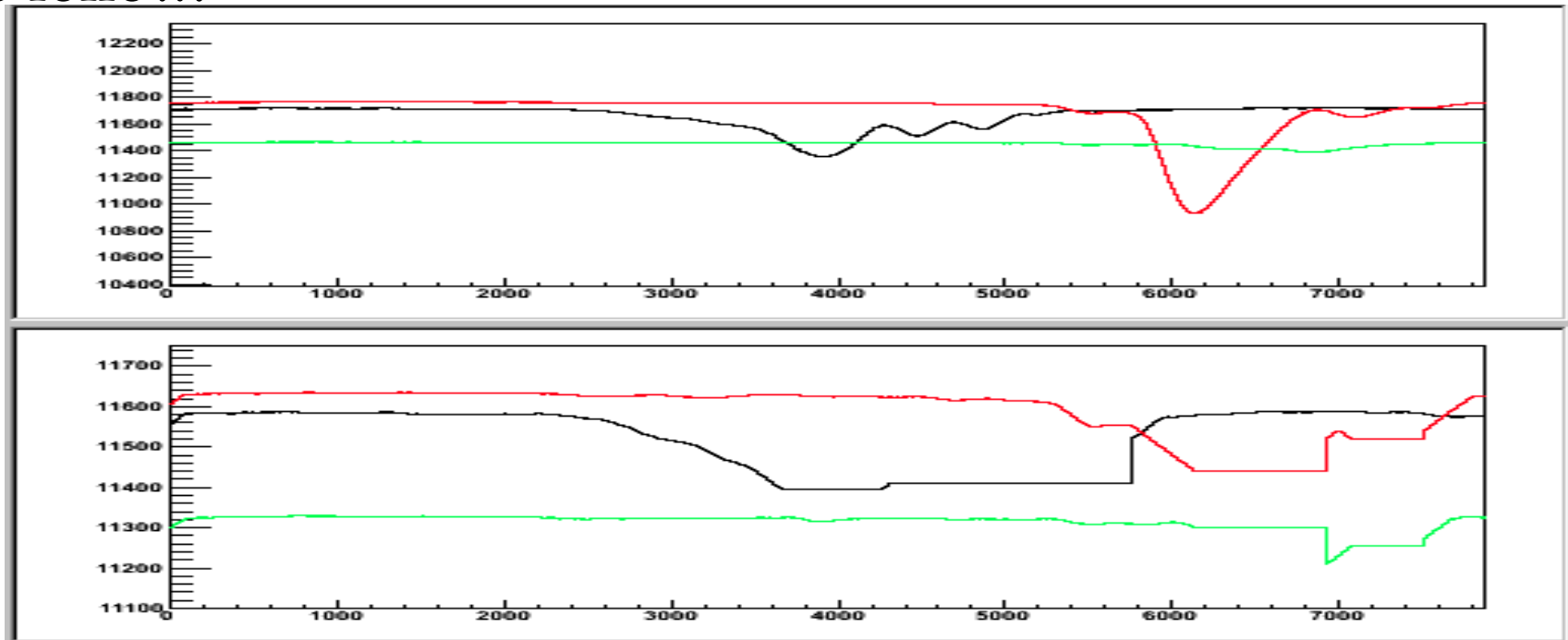
# Higher Levels

- The data acquisition and threshold regulation are inhibited when the SLT rate is higher than a pre-set value.
- The daq resets the threshold automatically after a certain time without SLT. The new input value is an average of the actual baseline. To deal with sudden changes that the regular threshold regulation is not able to follow.



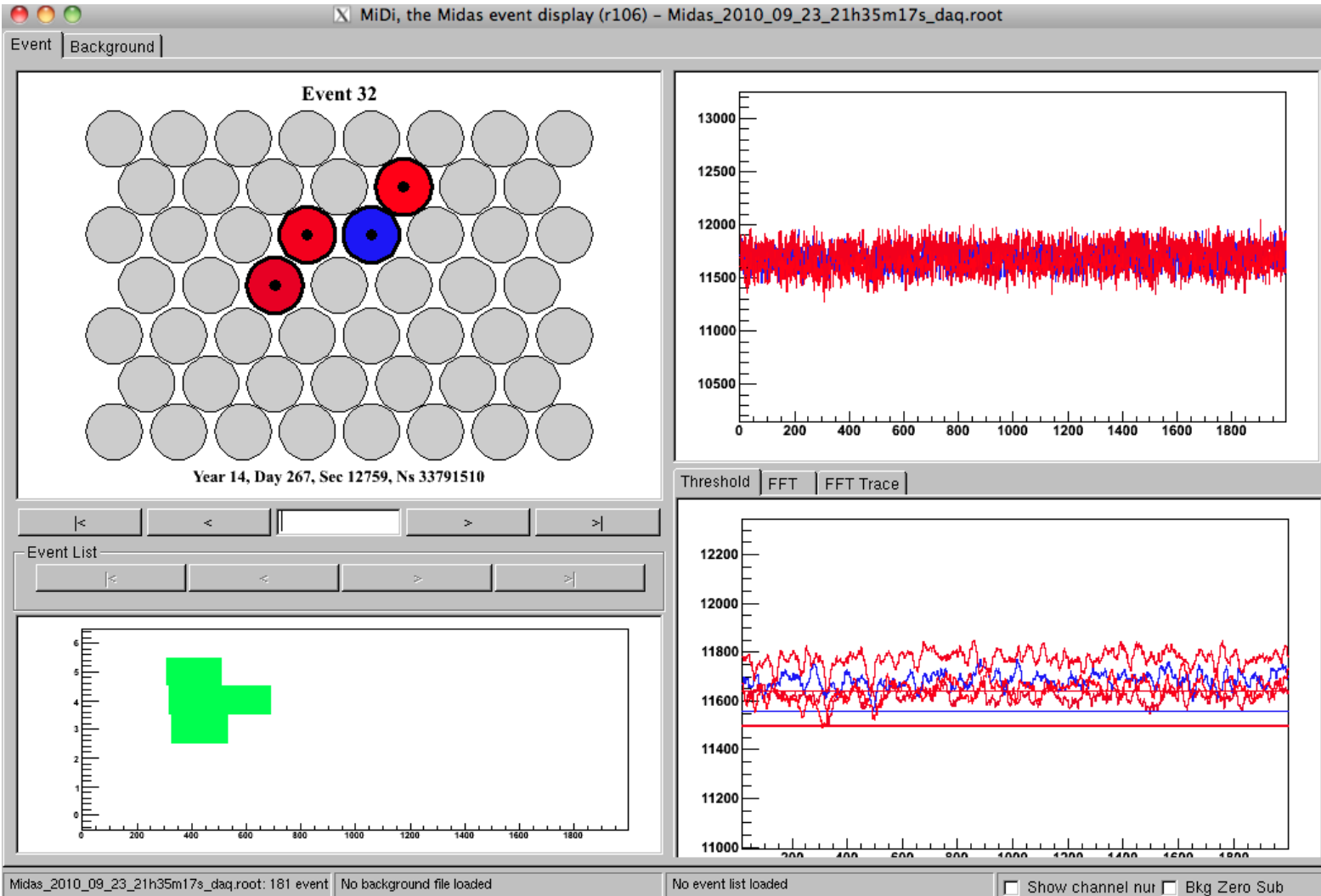
# Higher Levels

- The data acquisition and threshold regulation are inhibited when the SLT rate is higher than a pre-set value.
- The daq resets the threshold automatically after a certain time without SLT. The new input value is an average of the actual baseline. To deal with sudden changes that the regular threshold regulation is not able to follow.



# Event data stream

After a SLT, a 100 s stream of data (25 s corresponding to data before the SLT trigger) is stored.



All these trigger conditions are already implemented in the simulations.



# **MIDAS: Absolute calibration**

**Microwave Workshop  
Chicago, October 6<sup>th</sup> 2010**

# Absolute calibration with the Sun

$$Y = \frac{S(\text{baseline}) + S(\text{sun})}{S(\text{baseline})}$$

$$P = 10^{X(\text{dBm})/10} = 10^{\frac{A + BN_{ADC}}{10}}$$

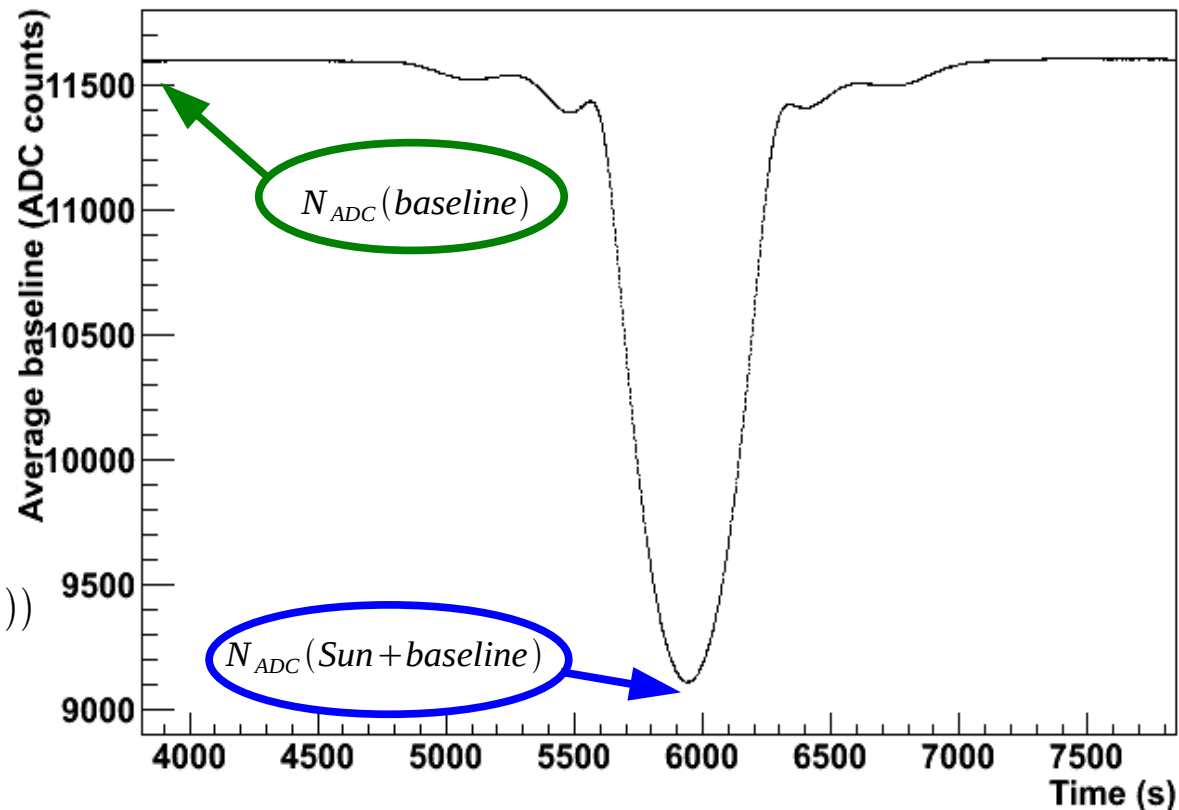
$$Y = 10^{\frac{-B}{10} (N_{ADC}(\text{Sun} + \text{base}) - N_{ADC}(\text{baseline}))}$$

**From our relative calibration  
(B=0.0054dBm/ADC)**

$$Y \sim 22$$

**From Nobeyama radio observatory  
(For this day: 81 sfu)**

$$S(\text{baseline}) = \frac{S(\text{Sun})}{Y - 1} = 2.94 \text{ W/m}^2/\text{Hz} \quad \longrightarrow \quad T_{\text{syst}} = \frac{S(\text{baseline}) A_{\text{eff}}}{2k_B} \sim 106 \text{ K}$$



# System temperature at data taking position

In daq position ( $\phi=145$ ,  $\theta=15$ )  $T_{\text{syst}}$  is a little bit larger. Comparing the number of ADC counts for the baseline in both daq and Sun pointing directions we can estimate  $T_{\text{syst}}$  in daq position.

For the same day of the previous calibrations with the Sun the system temperature at daq position  $\sim 120\text{K}$  ( $T_{\text{syst}}(\text{daq}) = 1.12T_{\text{syst}}(\text{Sun})$ ).

In general, for 2 different baselines:

$$\frac{P_{b1}}{P_{b2}} = \frac{T_{b1}}{T_{b2}} = 10^{\frac{B}{10}(N_{\text{ADC}}(b1) - N_{\text{ADC}}(b2))}$$

# System temperature for both polarizations

Thursday, May 13, 2010

## SUN CALIBRATION. TESTING THE POLARIZATION

Pointing direction (11am, +19V): 127.41, 57.27

Pointing direction (12am, +16V): 152.92, 64.51

Run: Midas\_2010\_05\_13\_10h17m37s\_bkg.txt

Results (11 am, +19V):

Baseline 11220. Peak 8835.  $\Delta n = 2385$

$F_{\text{Nobeyama}} = 73 \text{ SFU}$ .

$F_{\text{sky+sys}} = 3.079 \cdot 10^{-22} \text{ W/m}^2/\text{Hz}$

$T_{\text{sky+sys}} = \frac{1}{2} \cdot A_{\text{eff}} \cdot k = 112\text{K}$

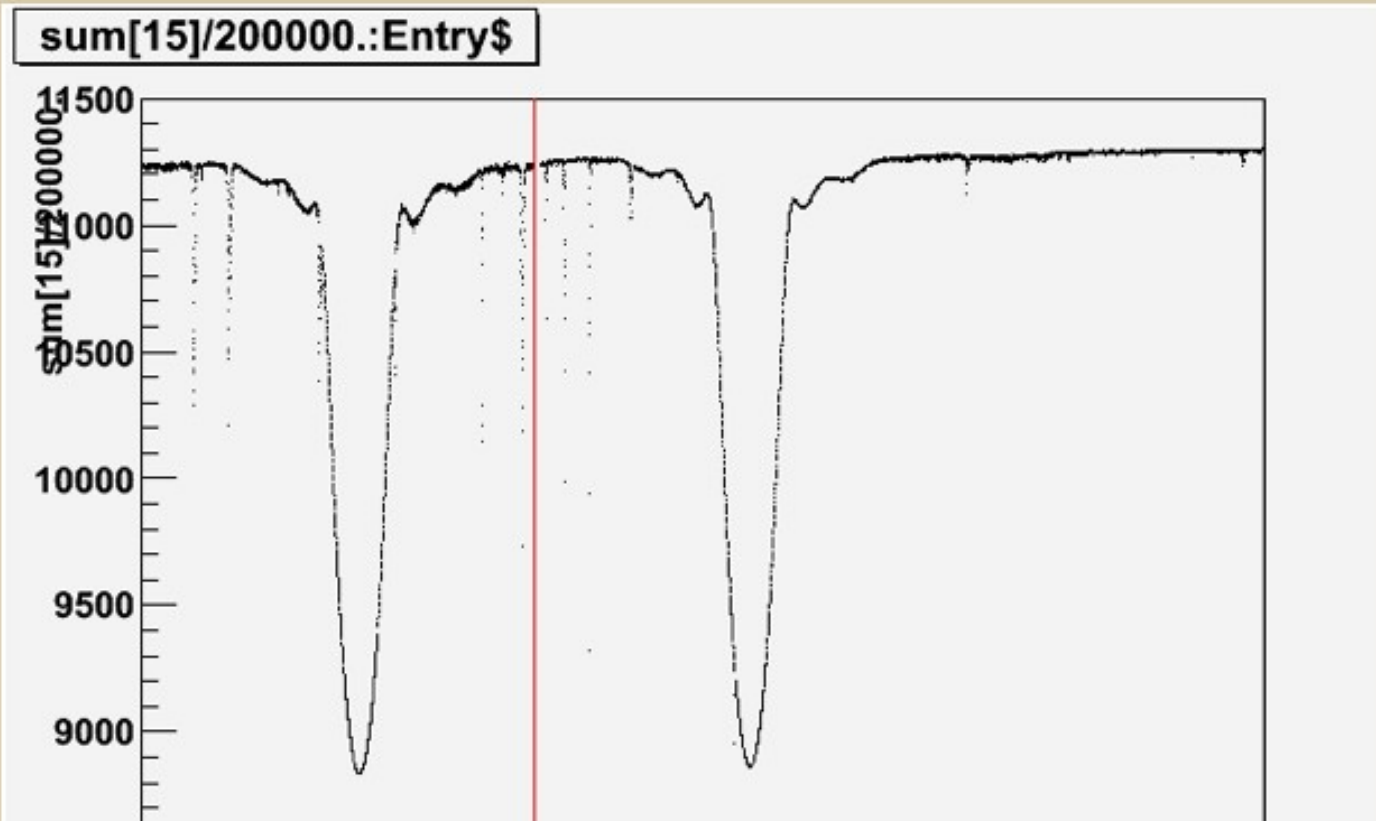
Results (12 am, +16V):

Baseline 11290. Peak 8862.  $\Delta n = 2428$

$F_{\text{Nobeyama}} = 73 \text{ SFU}$ .

$F_{\text{sky+sys}} = 2.8992 \cdot 10^{-22} \text{ W/m}^2/\text{Hz}$

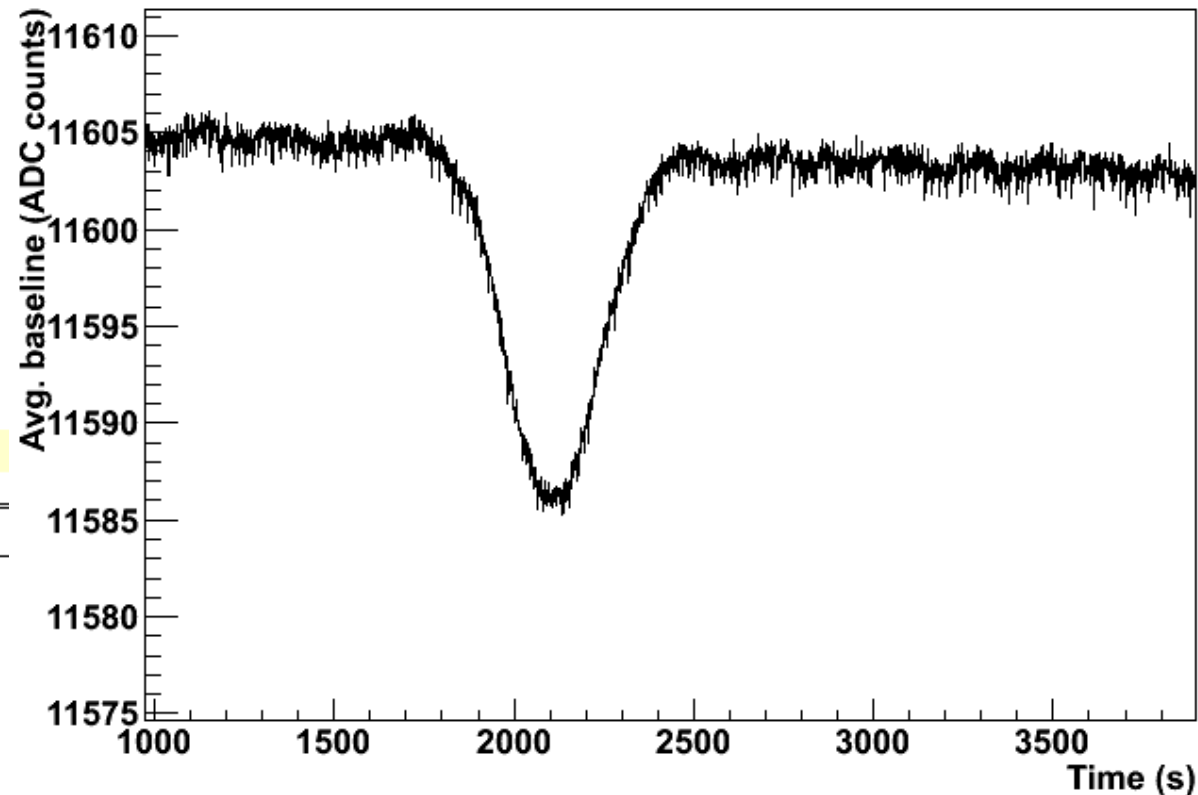
$T_{\text{sky+sys}} = \frac{1}{2} \cdot A_{\text{eff}} \cdot k = 105\text{K}$



# Cross-checking with the Crab

Compendium of Crab Nebula Observations from 1 to 10<sup>6</sup> GHz

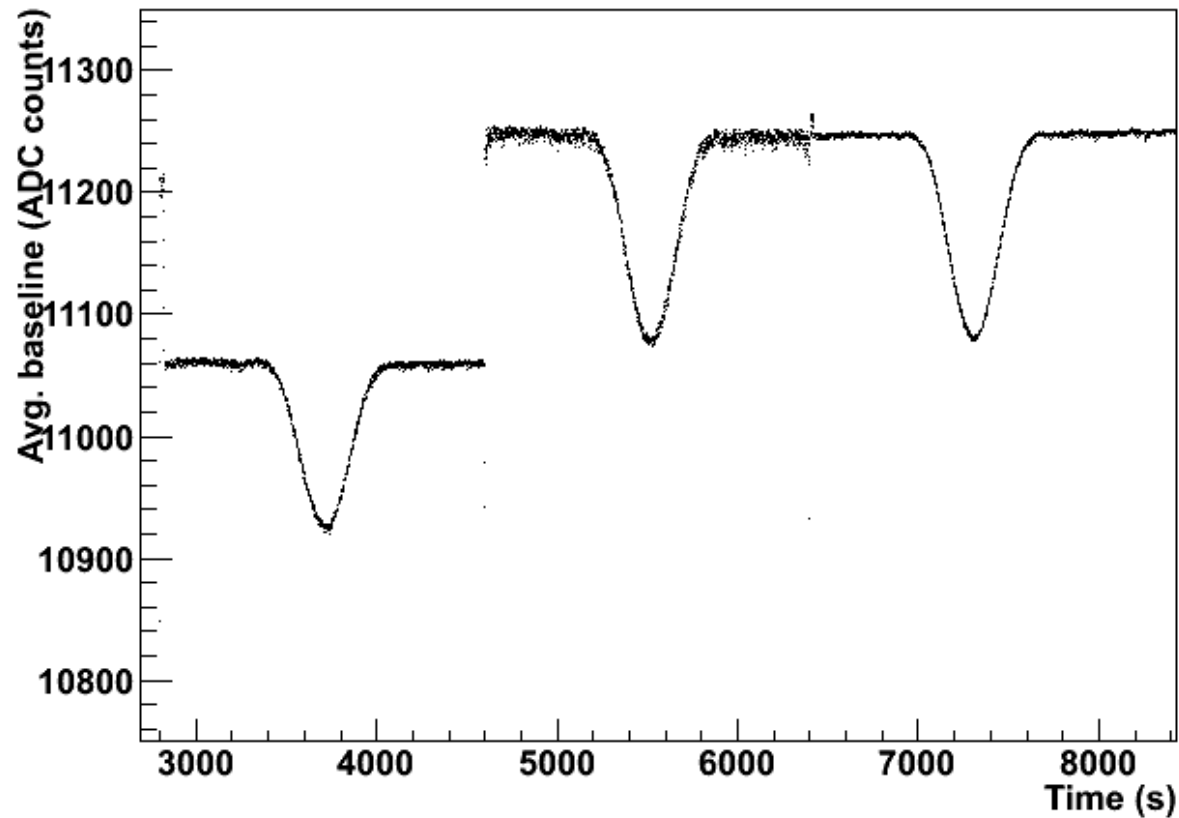
$\nu$ (GHz)	$S_\nu$ (Jy)	$\Delta S_\nu$ (Jy)	Central Epoch	Reference
1.117	990.0	59.4	1969.9	Vinogradova et al. (1971)
1.304	980.0	58.8	1969.9	Vinogradova et al. (1971)
1.4	930.0	46.5	1963	Kellermann et al. (1969)
1.765	940.0	56.4	1969.9	Vinogradova et al. (1971)
2.0	840.0	50.4	1969.3	Dmitrenko et al. (1970)
2.29	810.0	48.6	1969.3	Dmitrenko et al. (1970)
2.74	795.0	47.7	1969.3	Dmitrenko et al. (1970)
3.15	700.0	24.5	1964.4	Medd (1972)
3.38	718.0	43.1	1969.3	Dmitrenko et al. (1970)
3.96	646.0	38.8	1969.3	Dmitrenko et al. (1970)
4.08	687.0	20.6	1964.8	Penzias & Wilson (1965)
5.0	680	34	1963	Kellermann et al. (1969)



Once we have estimated  $T_{\text{syst}}$  with the Sun:

$$S_{\text{crab}} = 0.026 \cdot S_{\text{baseline}} = 7.6 \cdot 10^{-23} \text{ W/m}^2/\text{Hz} = 760 \text{ Jy}$$

# Cross-checking with the Moon



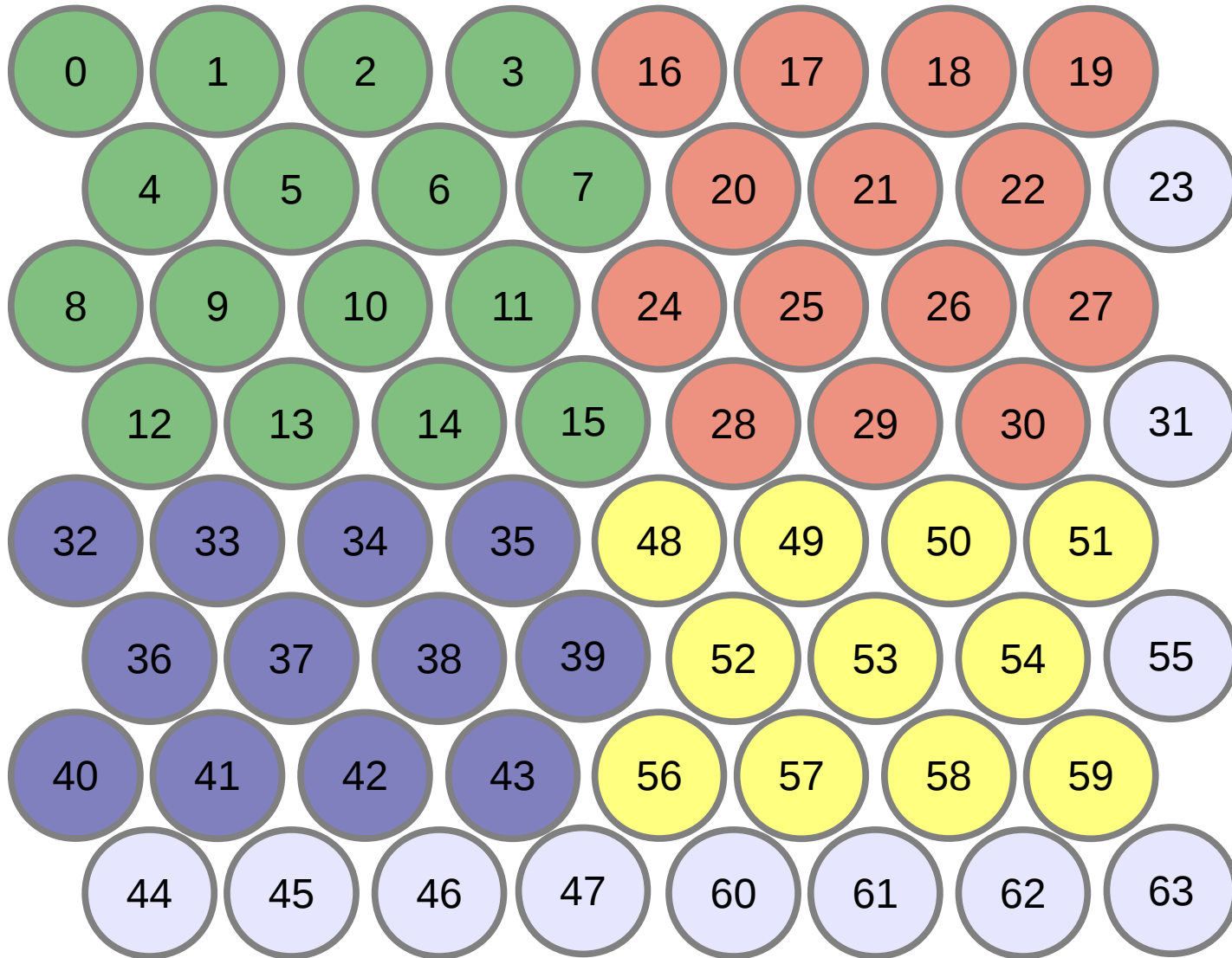
$$\Delta T = T_{\text{syst}} \cdot 10^{(X_{\text{moon}}(\text{dBm}) - X_{\text{syst}}(\text{dBm}))/10} = 29 \text{ K}$$

$$T_{\text{moon}} = \frac{\Delta T \cdot \Omega_A}{\Omega_{\text{Moon}}} = \frac{29 \cdot 1.4^2}{\pi (0.56/4)^2} = 230 \text{ K}$$



**Board 0**

**Board 1**



**Board 2**

**Board 3**