



# kSZ Cosmology and Astrophysics with Future Surveys

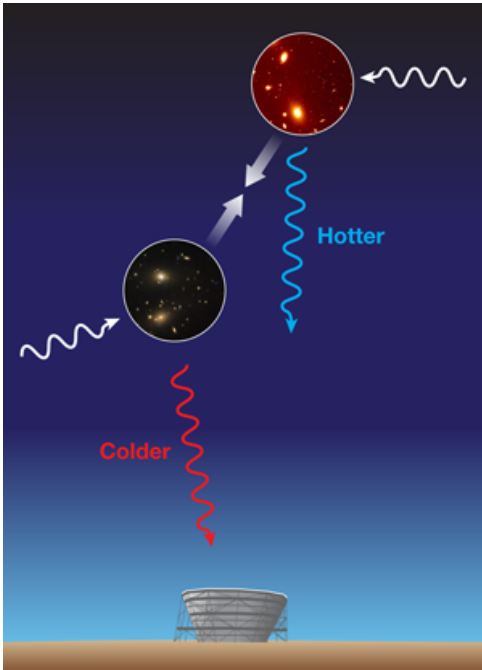
**Simone Ferraro**

(Miller Fellow, UC Berkeley)

CMB S4 Meeting  
09/21/2016

# Kinematic Sunyaev-Zel'dovich effect

## Energy shift in CMB photons due to scattering with coherently moving electrons



$$\left(\frac{\Delta T}{T}\right)_{\text{kSZ}} = \int d\eta \dot{\tau} e^{-\tau} \mathbf{v} \cdot \hat{\mathbf{n}} \quad \text{Sunyaev, Zel'dovich (1970)}$$
$$\approx -\tau_{\text{cluster}} v_r$$

Preserves Black Body spectrum of CMB!

$$\Delta T^{\text{kSZ}} \approx \underline{\underline{-0.1 \mu\text{K}}} \times f_{\text{free}} \left( M_{200} / 10^{13} M_{\odot} \right) \left( v_e \cdot \hat{\mathbf{n}} / 300 \text{ km s}^{-1} \right)$$

Fraction of free electrons

# Large scale velocity

$$\mathbf{v} \approx f_g \left( aH \frac{i\mathbf{k}}{k^2} \right) \delta$$

**Growth rate**

$$f_g = \frac{d \ln \delta}{d \ln a} \approx [\Omega_m(z)]^\gamma$$

$$\gamma = 0.55 + 0.05(1 + w) \quad \text{Linder (2005)}$$

**GR/Modified  
gravity**

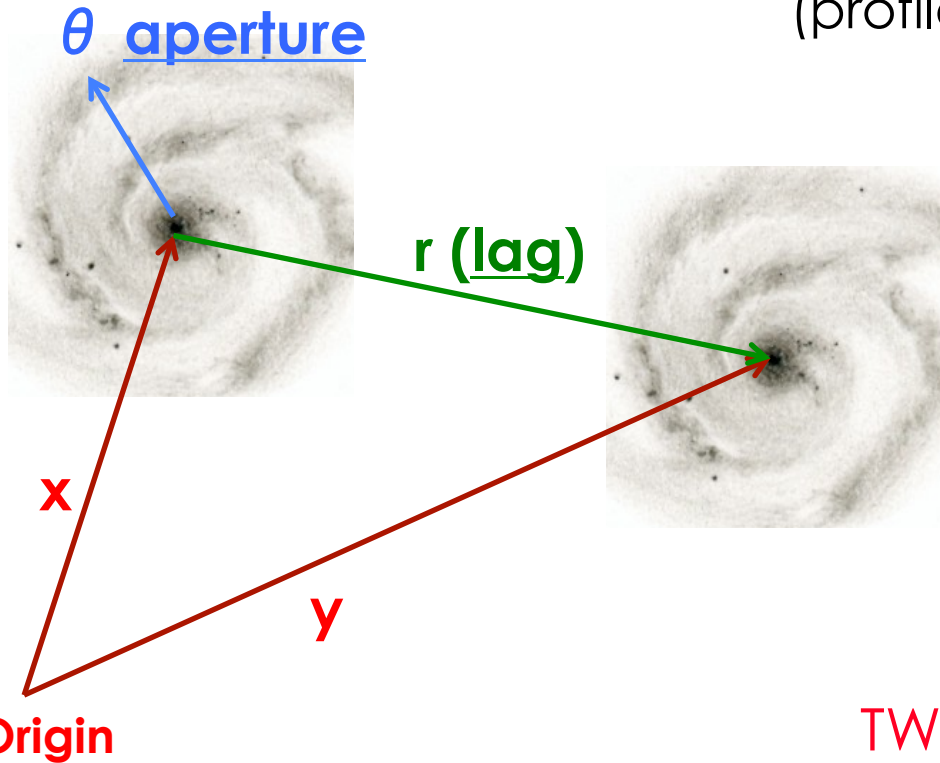
**Dark Energy**

# What do we measure?

$$\left(\frac{\Delta T}{T}\right)_{\text{kSZ}}(\mathbf{x} + \boldsymbol{\theta}) = -\tau(\boldsymbol{\theta}) v_r(\mathbf{x}) \quad (+ 2\text{-halo})$$

optical depth  
(profile)

'bulk' radial velocity



- Vary  $r$  at fixed  $\theta \rightarrow$  velocity field on large scales
- Vary  $\theta$  at fixed  $x \rightarrow$  gas profile and abundance.

TWO different measurements!

# Large scale velocity

$$\xi_{Tv} = \left\langle \frac{\Delta T}{T}(\mathbf{x}) v_r^{\text{rec}}(\mathbf{y}) \right\rangle = -\bar{\tau} \underbrace{\left\langle v_r^{\text{true}}(\mathbf{x}) v_r^{\text{rec}}(\mathbf{y}) \right\rangle}_{\text{Velocity correlation}}$$

“reconstructed” velocity from  $\delta_{3D}$   
+ continuity eq

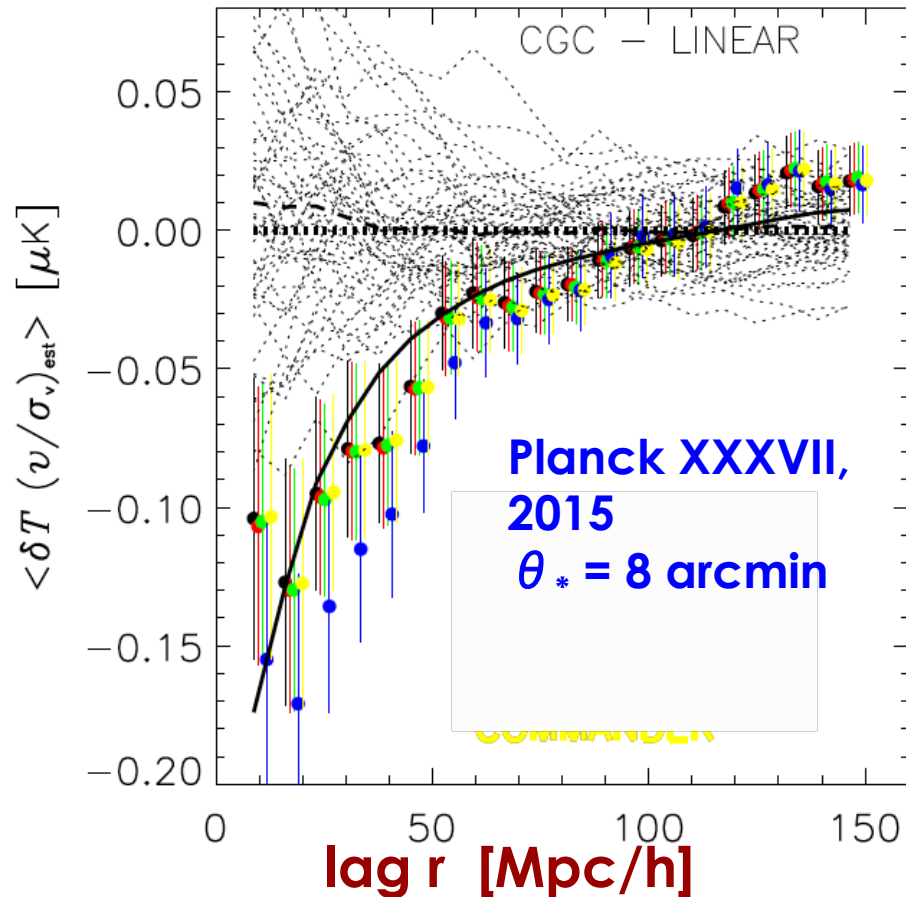
This is  $\xi_{Tv}(r) \propto \bar{\tau} \left( \frac{f_g^{\text{true}}}{f_g^{\text{fid}}} \right) \xi_v^{\text{fid}}(r) \propto \bar{\tau} \underline{f_g^{\text{true}}} \sigma_8$

- Amplitude degenerate with tau
- Scale dependence independent of tau
  - Scale dependent modified gravity
  - Massive neutrinos

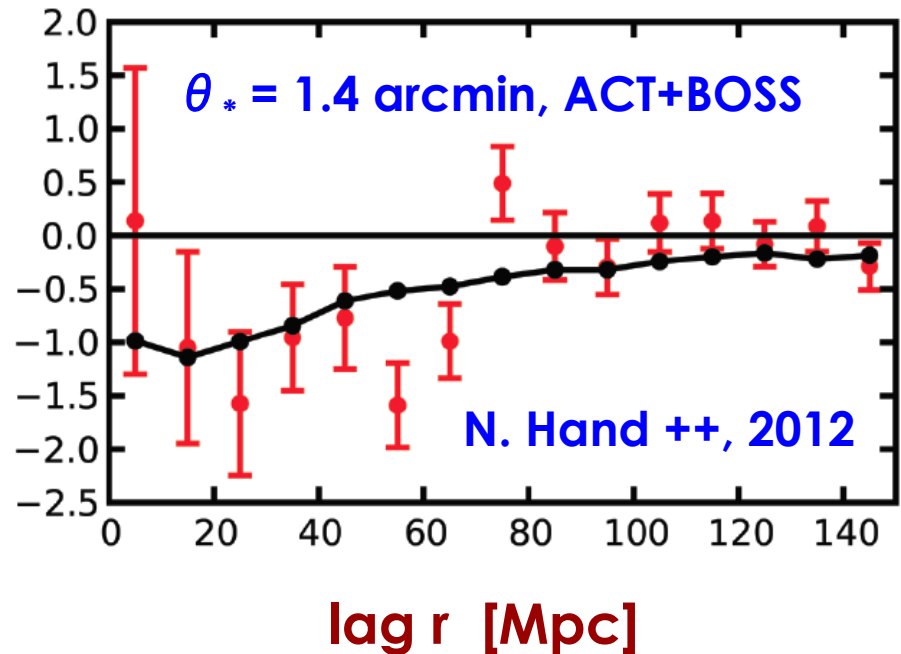
# Velocity correlation

- Amplitude → growth factor, modified gravity. Degenerate with tau
- Scale dependence → scale dependent growth, neutrinos

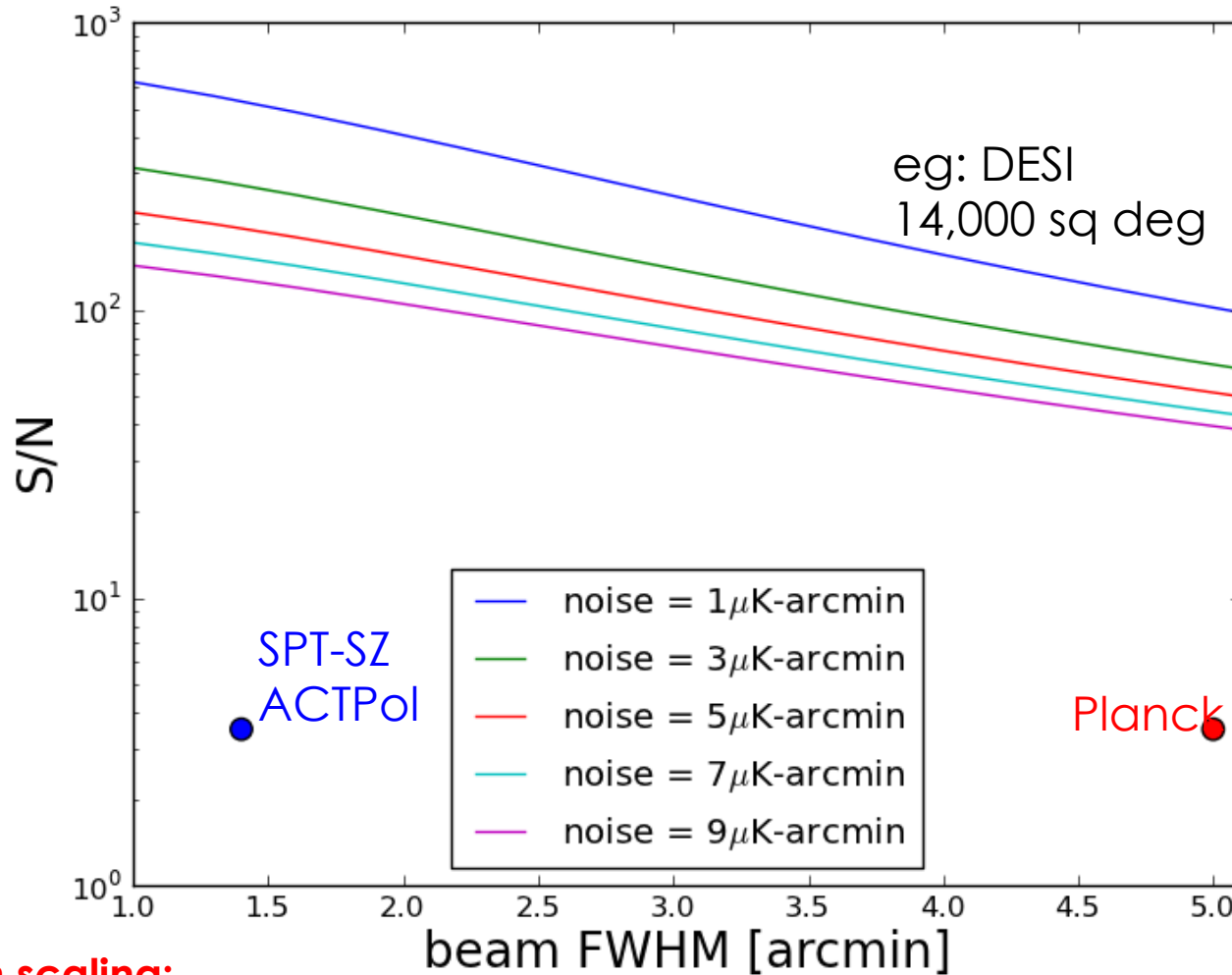
“velocity reconstruction”



“Pairwise momentum”



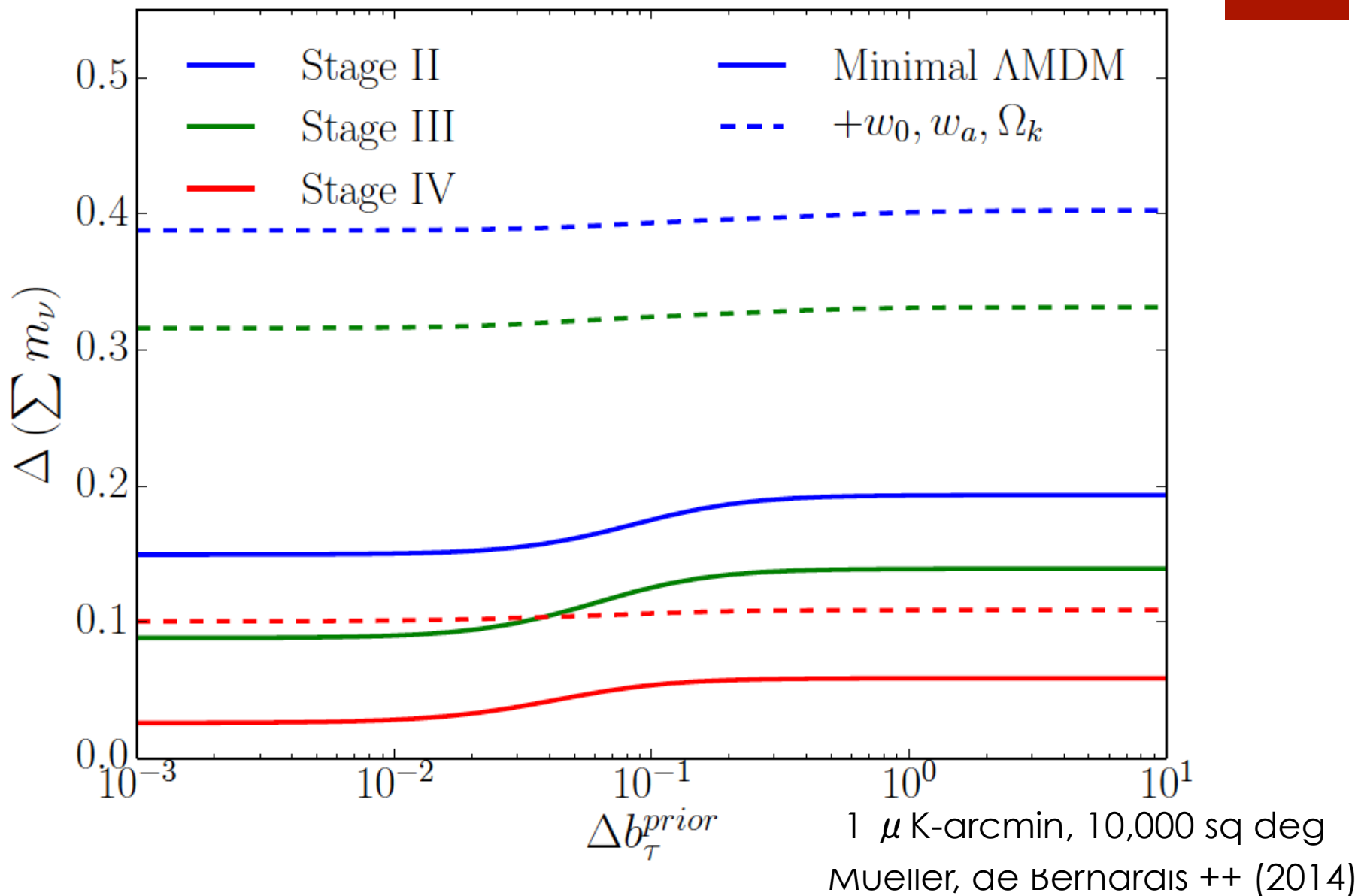
# Forecasts



**Rough scaling:**

$$\left(\frac{S}{N}\right) \sim \sqrt{\text{Area}} \times (\text{map noise})^{-0.5} \times (\text{FWHM})^{-1}$$

# Eg: Neutrino masses





# Breaking the tau degeneracy

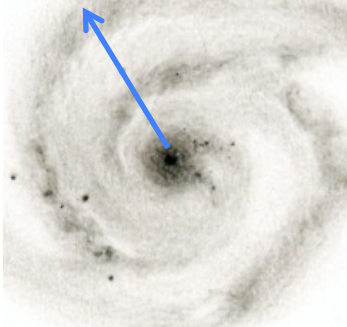
- $\langle y \rangle - \langle \tau \rangle$  relation. Known to  $\sim 10\%$ . (Battaglia 2016)
- Suppression of primary anisotropy (T and P)
- Linear polarization from scattering of primordial quadrupole  $\rightarrow$  patchy tau estimators
- Angular dependence (octupole and dipole) (Sugiyama+ 2016)
- CMB and galaxy lensing (need to fix ionization fraction)?

# Gas profile

Measure at zero-lag ( $r = 0$ ) [i.e. stacking] and vary aperture  $\theta$

$$\left\langle \frac{\Delta T}{T}(\mathbf{x}) \overbrace{v_r^{\text{rec}}(\mathbf{x})}^{\text{zero lag}} \right\rangle (\theta) = \sigma_{v_r}^2 \tau(\theta)$$

$\theta$  aperture



**aperture**

**cosmology**  
(independent of  $\theta$ )

**optical depth**  
(profile)

- Can measure profile and optical depth
- Cosmology is just a normalization (independent of  $\theta$ )

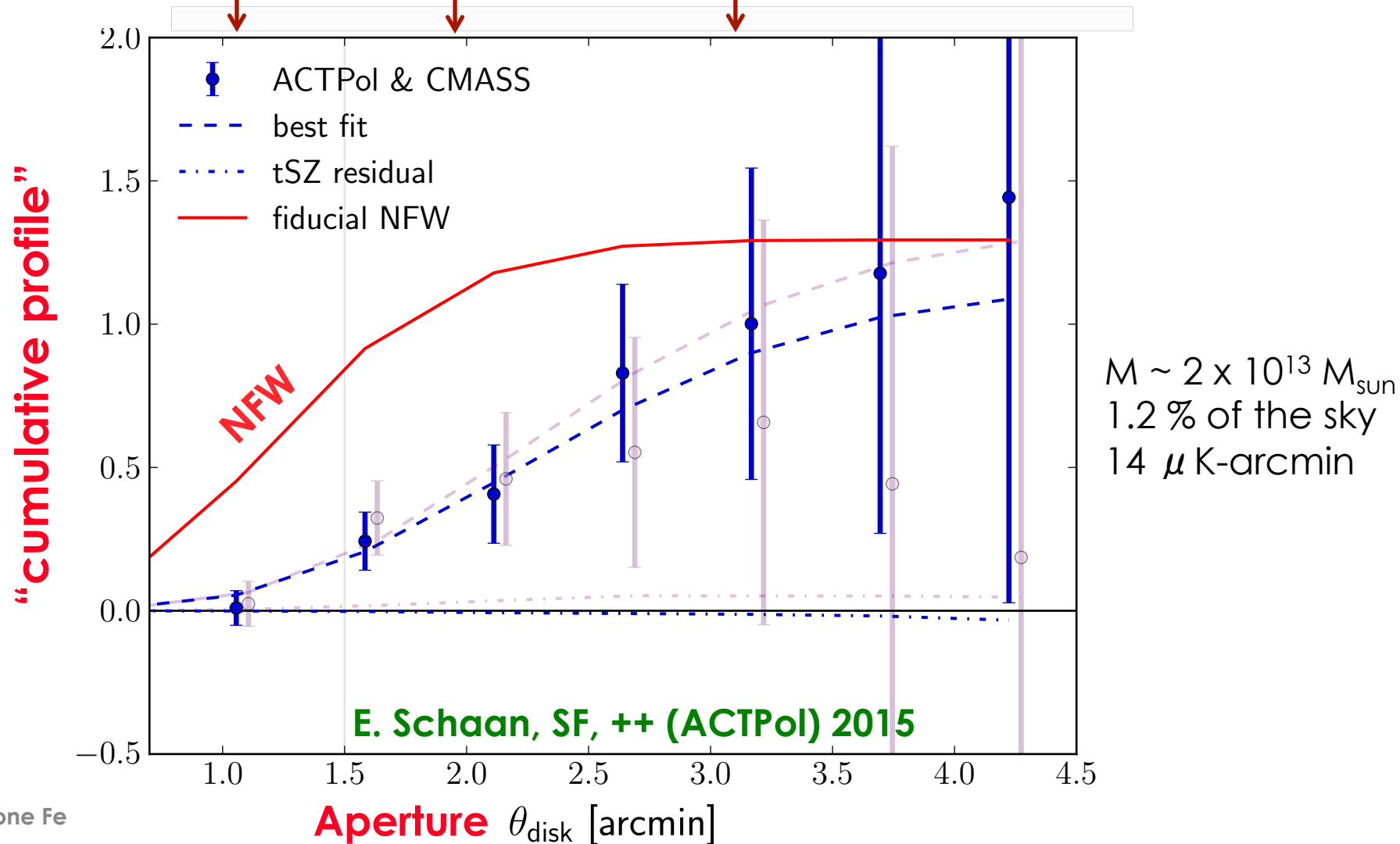
# Gas profile: baryons don't trace the dark matter

11

$L = 5000$  at  $z = 0.3$

0.5

1.0



# Other science

- Constrain thermal & non-thermal pressure, energy injection and feedback. Combine with tSZ, X-ray, lensing.
- Compare different populations! Mass, redshift, color, presence of AGN, ...
- Galaxy formation
- Ellipticity, filaments, etc
- Reionization (Kendrick's talk)
- ...

# LSS survey requirements

## Number of tracers

$$k_{\text{kSZ}} = (\ell = 3000) / \chi(z = 0.6)$$

$$\bar{n} P_m(k_{\text{kSZ}}) \approx 0.002 \left( \frac{\bar{n}}{3 \times 10^{-4} h^3 / \text{Mpc}^3} \right) \underline{\underline{\ll 1}}$$

Deep in the **SHOT NOISE** dominated regime

$$\bar{\tau} \propto \bar{M}_{\text{halo}}$$

$$\left( \frac{S}{N} \right) \propto \bar{M}_{\text{halo}} \sqrt{N_{\text{halo}}}$$

Far from saturation! Scaling independent of the CMB map

Additional penalty if  $\bar{n} < 10^{-4} h^3 / \text{Mpc}^3$

# LSS survey requirements: Spectroscopy?

Ideally  $\Delta r = \frac{c\Delta z}{H(z)} \ll 50 \text{ Mpc}$   $\Delta z \lesssim 10^{-3}$

$R \gtrsim 1000$   $\longrightarrow$  “perfect” redshifts  $R = \frac{\lambda}{\Delta\lambda}$

$R \sim 100$   $\longrightarrow$  good photometric redshift  
order 1 degradation in S/N

$R \sim 30$   $\longrightarrow$  Most of the information lost  
Need different technique (projected fields)

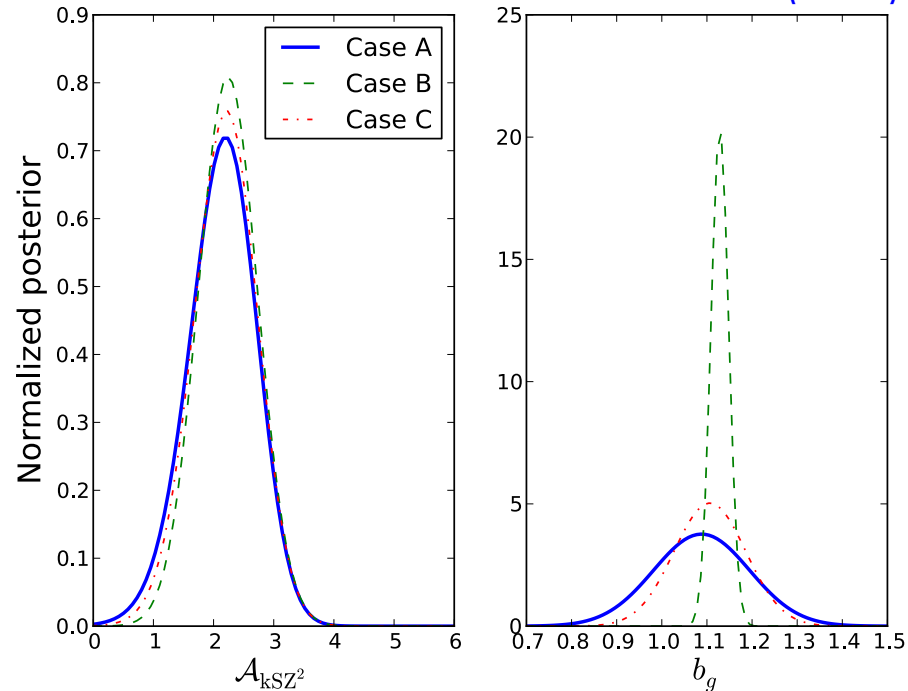
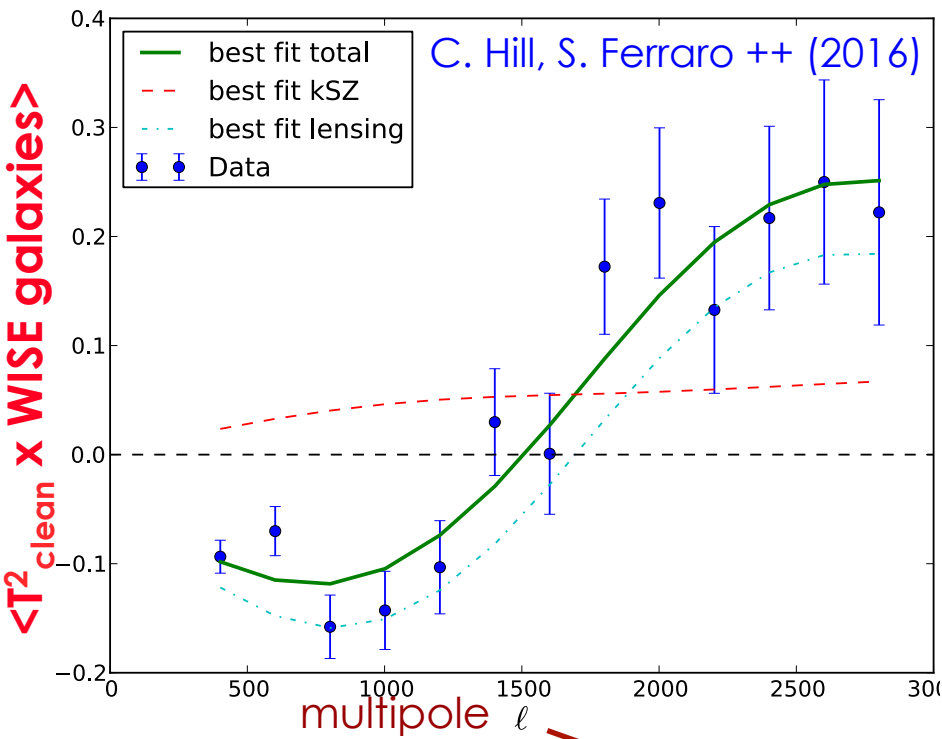
# Projected fields

$\langle T_{\text{CMB}} \delta_{\text{tr}} \rangle \approx 0$  because of  $\mathbf{v}_r \rightarrow -\mathbf{v}_r$

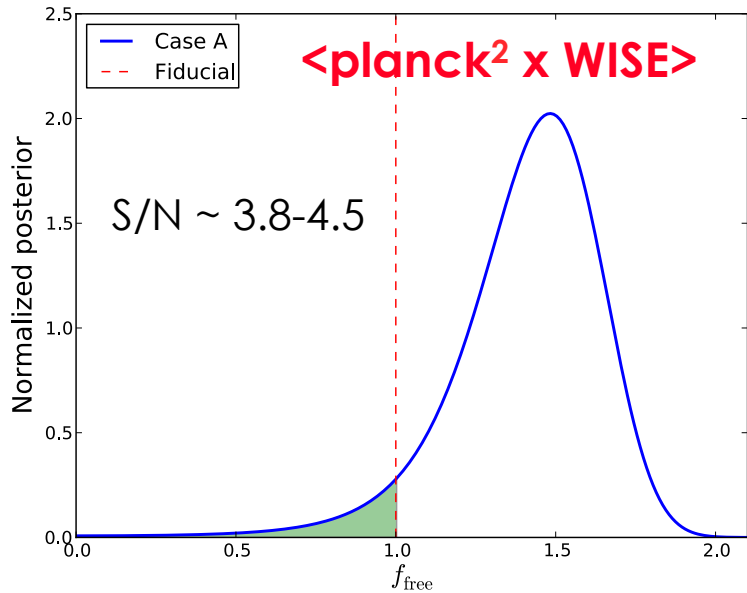
But...  $\langle T_{\text{CMB}}^2(\mathbf{x}) \delta_{\text{tr}}(\mathbf{y}) \rangle \neq 0$

Doré et al (2003)

S. Ferraro, C. Hill, ++ (2016)



# kSZ with projected fields



CMB experiment	beam FWHM [arcmin]	effective noise <sup>a</sup> $\Delta_T$ [ $\mu\text{K}\cdot\text{arcmin}$ ]
<i>Planck</i> (2015 LGMCA map)	5	47
<i>Advanced ACTPol</i>	1.4	10
<i>CMB-S4</i> (case 1) <sup>b</sup>	3	3
<i>CMB-S4</i> (case 2)	1	3
<i>CMB-S4</i> (case 3)	3	1
<i>CMB-S4</i> (case 4)	1	1

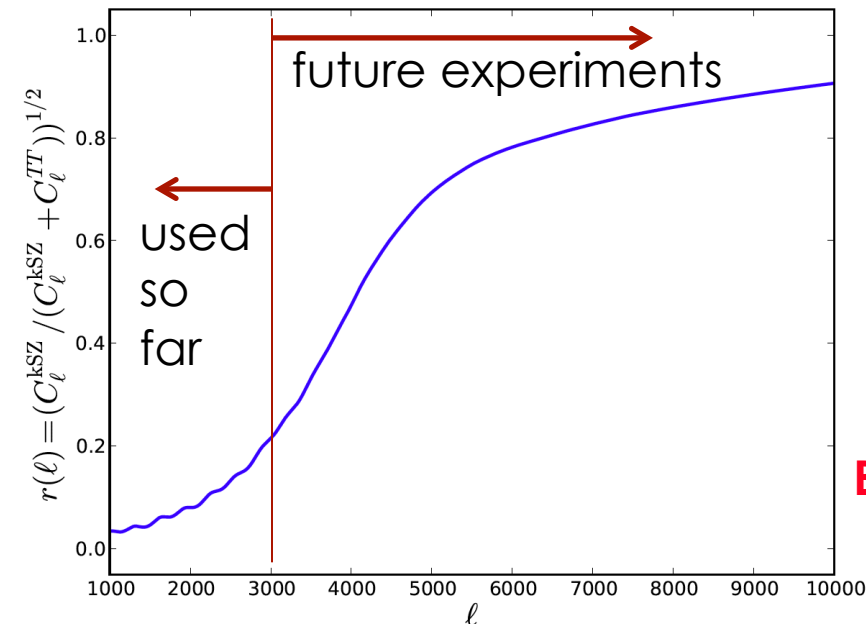
**LSST** 26 gal/arcmin<sup>2</sup> (preliminary)

x AdvACT	326
x CMB-S4 (case 1)	402
x CMB-S4 (case 2)	1032
x CMB-S4 (case 3)	1006
x CMB-S4 (case 4)	1230

**BUT CAREFUL with SYSTEMATICS (foregrounds!)**

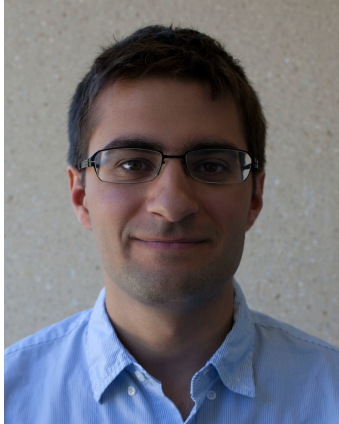
S. Ferraro, C. Hill, ++ (2016)

C. Hill, S. Ferraro, ++ (2016)





# My collaborators



**EMMANUEL  
SCHAÁN**



**KENDRICK  
SMITH**



**DAVID SPERGEL**



**COLIN HILL**



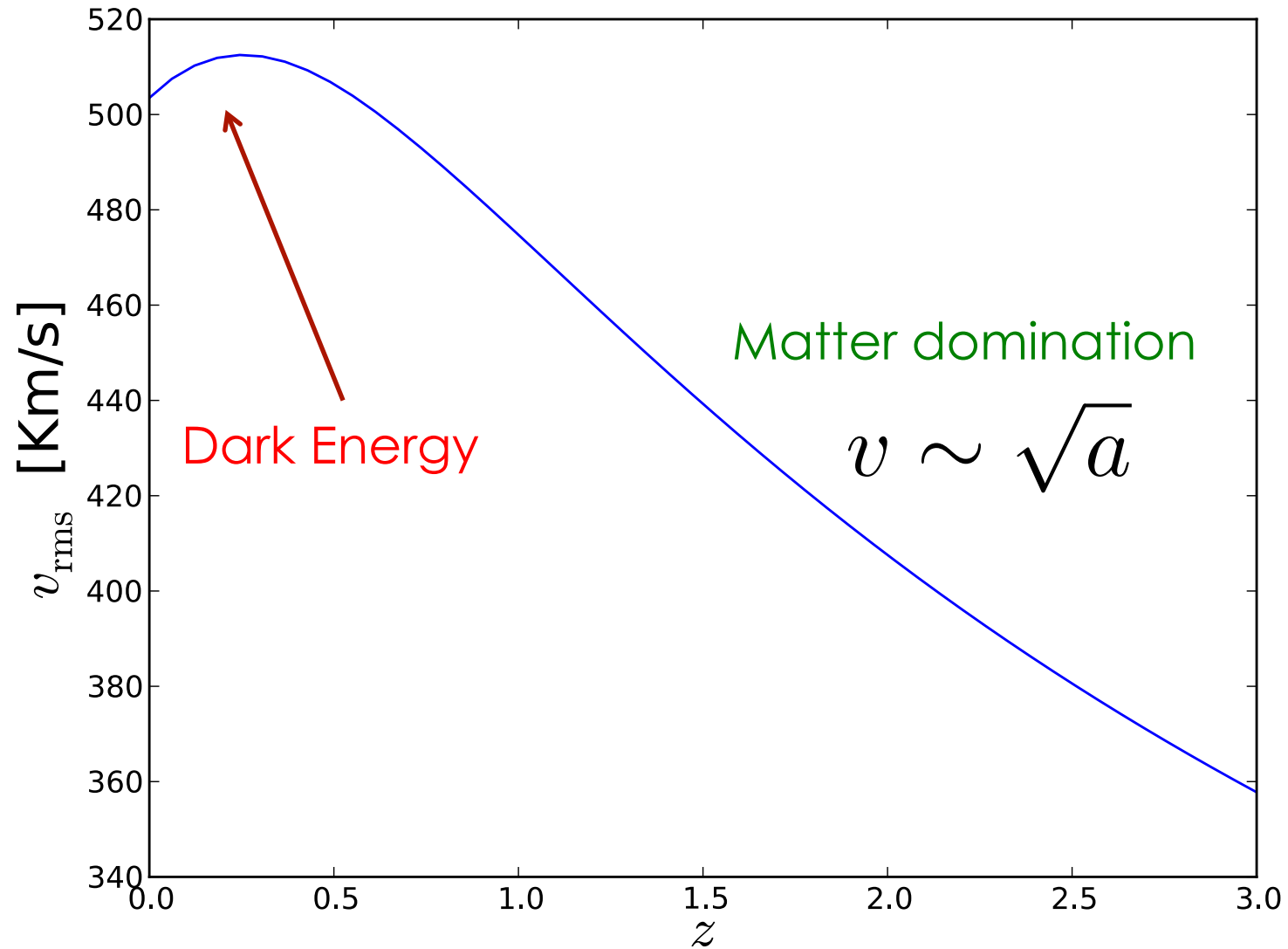
**NICK BATTAGLIA**



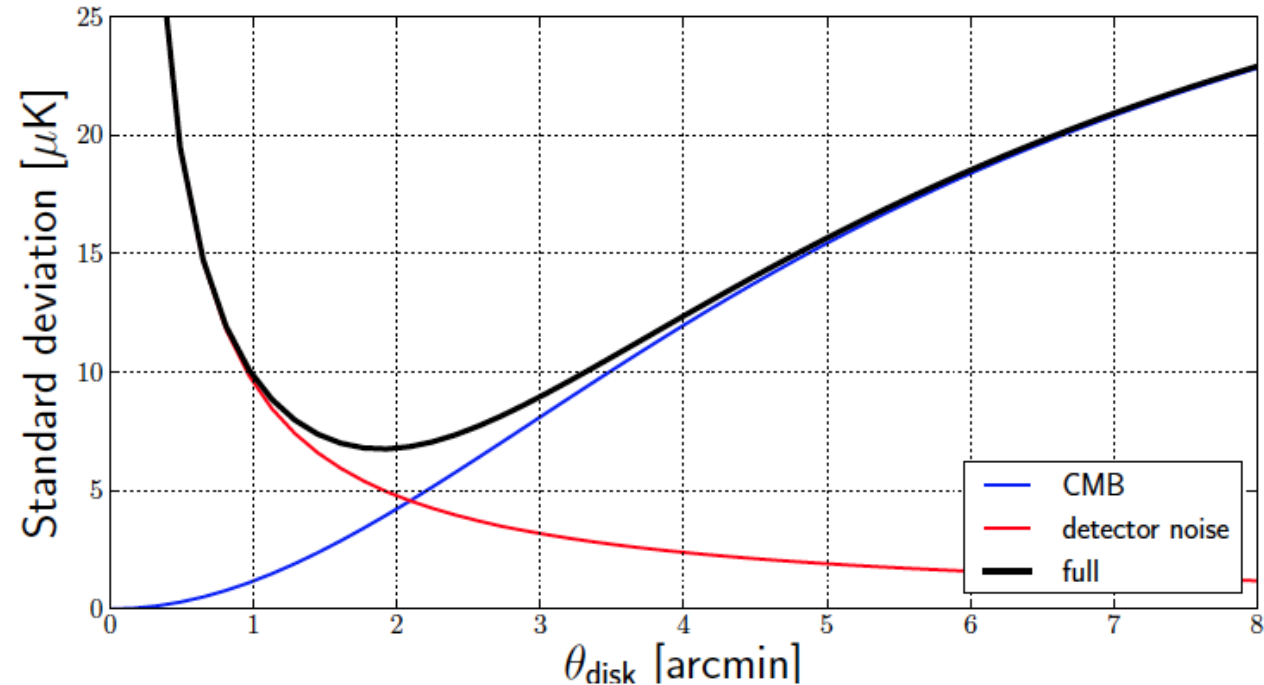
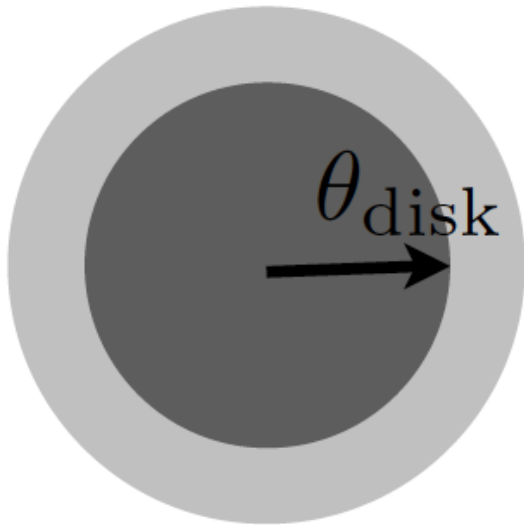
**THE ACTPol TEAM  
AND MANY OTHERS!**

# BACKUP SLIDES

# RMS velocity



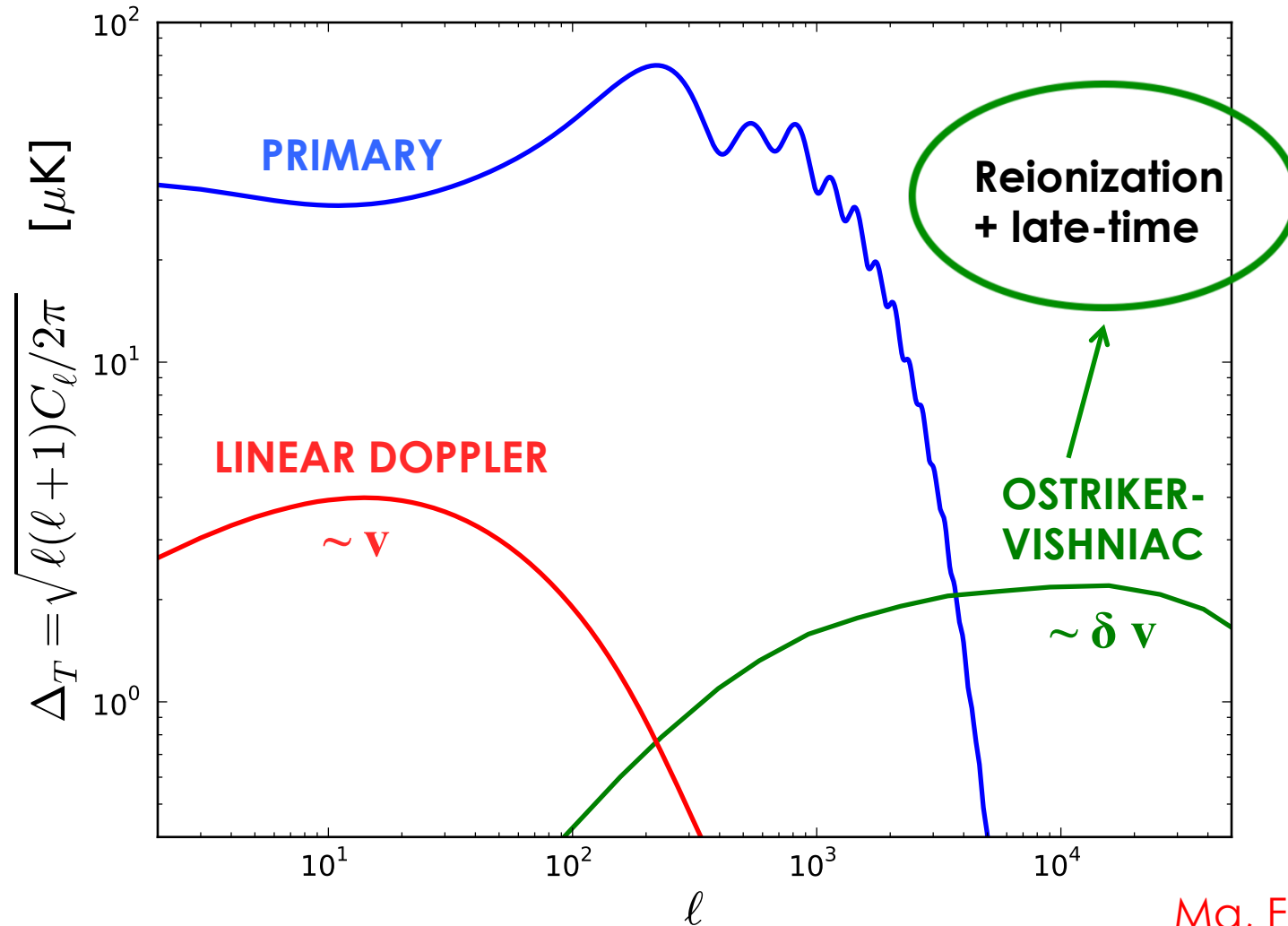
# Aperture photometry



$$\Delta T = \bar{T}_{\text{disk}} - \bar{T}_{\text{ring}}$$

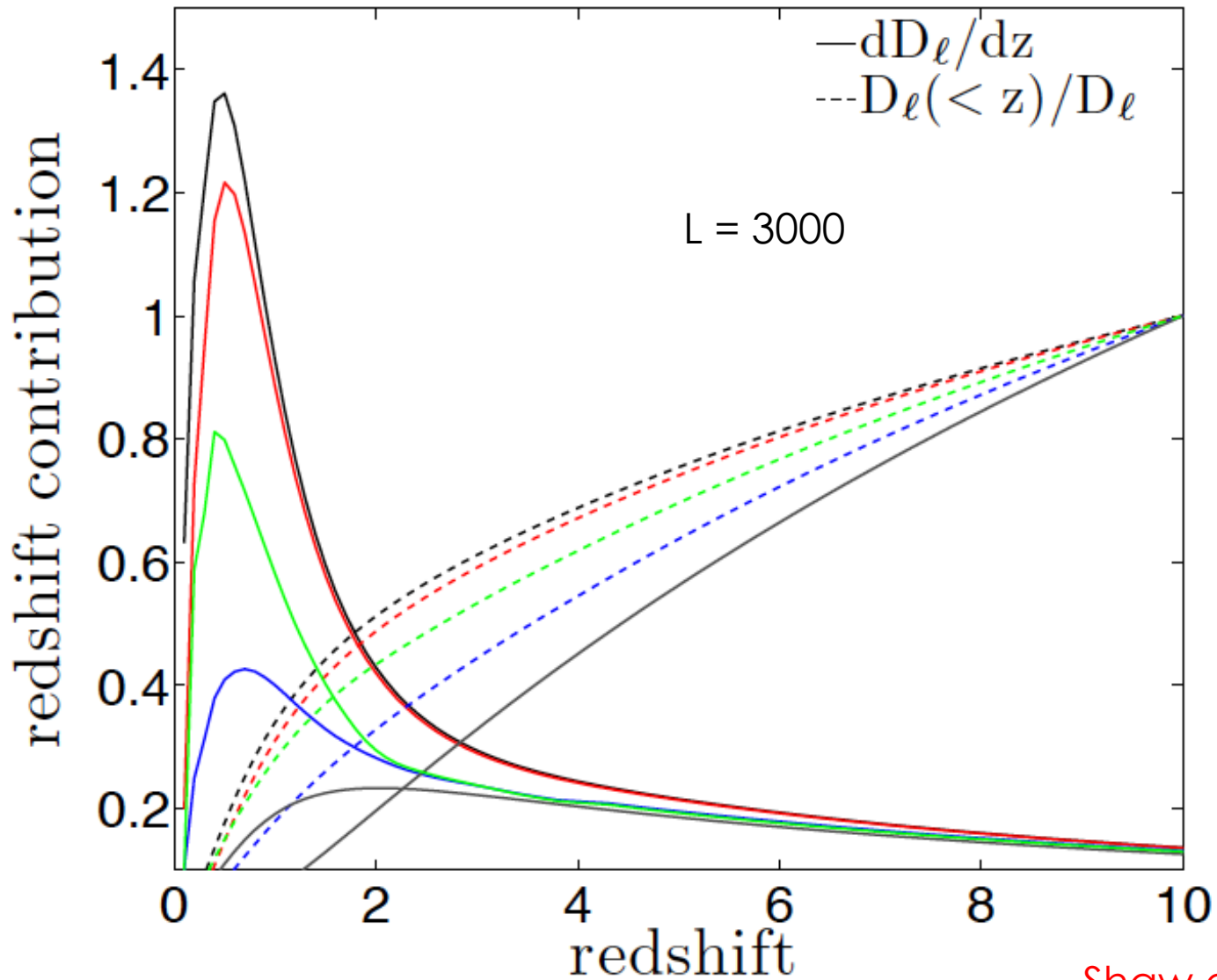
# The kSZ power spectrum

z < 20 contributions from velocity



Ma, Fry (2002)  
Hu, White (1996)

# Where does it come from?



Shaw et al (2011)