# Signatures of Self-Interacting Dark Matter on Cluster Density Profile and Subhalo Distributions

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### Self Interacting Dark Matter

- CDM paradigm works extremely well to describe clustering of matter and galaxies on large scales, but signs of possible tensions on smaller scales.
- What can these smaller scales tell us about additional interactions of Dark Matter?
- We focus on self-interactions with negligible annihilation and dissipation, but with significant scattering.
- Known to affect halo structure and satellite dynamics.





Rocha *et al,* 2012

### Connecting to Imaging Surveys

- Individual objects have been studied thoroughly, but can we learn about SIDM by studying density profiles and satellite distributions of populations of objects, specifically galaxy clusters.
- Individual clusters do not have high S/N, but stacking helps improve statistical power.
- Related question: do self-interactions have an effect on the outer boundaries of halos?
   Specifically, does the splashback radius move in the presence of self-interactions?



Adhikari et al, 2014

Shin et al, 2018

 $10^{0}$ 

 $r[h^{-1}Mpc]$ 

 $10^{1}$ 

SPT RM simulation

- ACT

10

# **SIDM** Simulations

- We modified the Gadget-2 N-body code to include self-interactions. We considered various scenarios for the differential cross section:
- a) Velocity independent and isotropic.
- b) Velocity independent, but with angular dependence:

$$rac{d\sigma}{d\Omega} \propto rac{1+\cos^2 heta}{1-\cos^2 heta}$$
 Kah

ahlhoefer et al, 2013

c) Velocity dependent and angle dependent:

$$\frac{\mathrm{d}\sigma}{\mathrm{d}\Omega} = \frac{\sigma_0}{2\left[1 + \frac{v^2}{w^2}\sin^2\left(\frac{\theta}{2}\right)\right]^2}$$

Tulin *et al,* 2017

Ran cosmological sims with volume (1 Gpc/h)<sup>3</sup>. Concentrated on halos in the mass range (1e14-2e14) M<sub>sun</sub>/h. Approximately 20000 objects in each simulation.





### Reproducing cores and halo thermalization

- One of the most robust predictions of these self-interactions is the formation of a core in the inner regions of the halo. The interactions are also expected to "heat up" the inner regions compared to purely collisionless interactions.
  - For the well studied case of  $\sigma/m = 1 \text{ cm}^2/\text{g}$ , we check that we match these predictions, but using the full population of halos in the mass range.



Banerjee et al, 2019

### Effect of angular dependence of interactions

- To compare the effects of velocityindependent isotropic vs. anisotropic interactions, we need to match some physical quantity.
- The total cross section is not well defined for the anisotropic interactions:



 Instead we match the momentum transfer cross section:

 $\sigma_{\mathrm{T}} = \int \frac{\mathrm{d}\sigma}{\mathrm{d}\Omega} (1 - |\cos \theta|) \mathrm{d}\Omega$ 

We find no strong evidence that the exact angle-dependence of the differential cross section affects the stacked density or subhalo profiles.





### SIDM effects on stacked 3-d density profiles



Effects of self-interactions
persist out to close to the viral radius and are measurable in the stacked density profiles.
The effect is qualitatively the same for both velocity
independent as well as velocity dependent interactions.
The splashback radius does not show any significant movement for the full population.

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### Trends in splashback radius with concentration

- When halos are split on concentration (of the CDM counterpart), self-interactions can change the splash back radius.
- Low concentration (lateforming) halos do not show any movement in the splash back radius.
  - High concentration (earlyforming) halos clearly show a trend with interaction strength.



#### Velocity independent

#### Velocity dependent



### Signatures on subhalo distributions

10  $n(r) \begin{pmatrix} h^3 \mathrm{Mpc}^{-3} \end{pmatrix}$ CDM  $\sigma_T/m = 1 \,\mathrm{cm}^2/\mathrm{g}$  $\sigma/m = 1 \,\mathrm{cm}^2/\mathrm{g}$  (isotropic)  $\sigma_T/m = 3 \,\mathrm{cm}^2/\mathrm{g}$  $10^{-1}$ 0.6 2.0 0.4 1.0  $\frac{n(r)}{n(r)} \frac{n(r)}{n(r)}$ \*\*\*\*\*\*\*\*\*\*\*\* 2.0 0.6 1.0  $\frac{u \log 1}{\log 1}$ -2.5-3.02.0 0.4 0.6 1.0  $r(h^{-1}\mathrm{Mpc})$ 

Velocity independent

#### Velocity dependent



- Subhalos identified with M<sub>peak</sub>> 5e12 M<sub>sun</sub>/h.
- Once again, noticeable effects on the sub halo distributions out to the virial radius.
- Splashback is smaller (in all cases) than in the particles due to dynamical friction.
  - For extremely high cross sections, splashback radius shrinks further.

# Subhalo splashback at high interaction rates



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### Can we test velocity dependence of the cross section?

If subhalos and hosts lie in different regimes of the velocity dependence, the matter profile and subhalo profiles can jointly inform about the turnover scale.





1.0

1.0

1.0

2.0

2.0

2.0

### Prospects of constraining SIDM with cluster lensing

- We plot the  $\Delta\Sigma(R)$  profiles and overplot the lensing error bars from DES Y1.
- Error bars expected to go down by a factor of  $\sqrt{3}$  in Y3 due to increased sky coverage.
- Statistical error bars should be at a level allowing for constraints competitive with those from the Bullet Cluster.
  - Possible to use the satellite profiles but larger systematic uncertainties.



#### Banerjee et al, 2019

# Conclusions

- SIDM can affect cluster density and subhalo profiles out to close to the viral radius, and the effects are not washed away when stacked.
- Angular dependence of the cross section does not seem to play an important role in the stacked profiles. On the other hand, velocity dependence can, in principle, be studied by jointly analyzing the density and subhalo profiles.
- Splashback radius, as defined in matter does not change for a mass-selected population. However, if we split on halo history within the mass bin, splashback is affected by self-interactions.
- The changes in the stacked lensing profiles seems to be a promising avenue to constraining self-interactions at the cluster scale, and has enough statistical power, especially in the era of LSST, to become competitive with other probes of selfinteractions at this scale.

# Convergence tests



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